

Physics

with

HERA 2



HERA



Thomas Naumann
DESY Zeuthen

PETRA

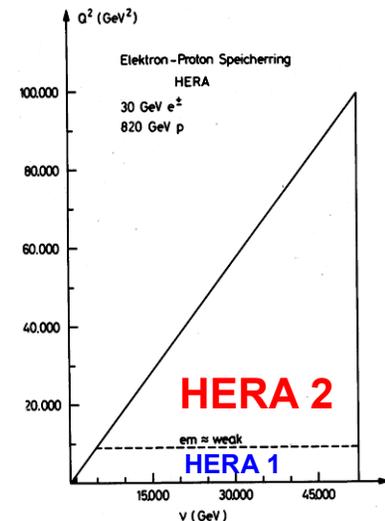


Why HERA 2 ?



- **DIS:** measure NC + CC cross sections with 2 polarizations x 2 lepton charges
 - extract structure functions F_2 , F_L , $xF_3(x, Q^2)$, ...
- **QCD analyses:**
 - determine parton distribution functions $xq(x, Q^2)$
 - the gluon and α_s
- understand production of Heavy Flavours
- study the nature of diffraction
- look beyond the **Standard Model:**
 - contact interactions, leptoquarks, SUSY, ...

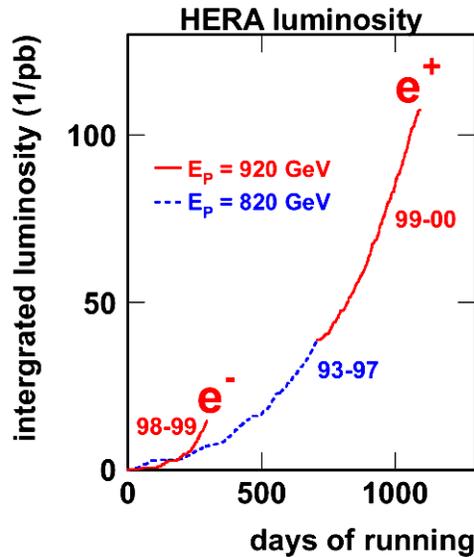
Reach original HERA goals:
HERA proposal, DESY 1981



describe upgrade of **HERA** and **experiments**
give HERA 1 results - **show HERA 2 prospects**



HERA Lumi Upgrade

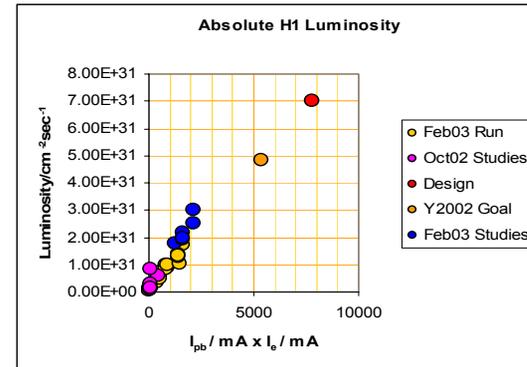


- **1993-2000:** $120 \text{ pb}^{-1} e^+$, $20 \text{ pb}^{-1} e^-$
- mainly **low β** :
 - move proton quad's from 27 to 11 m
 - superconducting quad's inside detectors
- modest increase of beam currents
- **polarization**
- **2003-2006/7 : 'close to 1 fb^{-1} '**
- **22.10.03:** $19 \text{ mA } e^+ \times 52 \text{ mA } p$
 $L_{\text{spec}} = 1.6 \cdot 10^{30} \text{ cm}^2 \text{ s}^{-1} \text{ mA}^2$ $L = 1.6 \cdot 10^{31} \text{ cm}^2 \text{ s}^{-1}$

	I_e / mA	I_p / mA	β_x / m	β_y / m	$L_{\text{spec}} / 10^{30} \text{ cm}^2 \text{ s}^{-1} \text{ mA}^2$	$L / 10^{31} \text{ cm}^2 \text{ s}^{-1}$	$L_{\text{int}} / \text{pb}^{-1}$
1993-2000 2000	50	100	7.00	0.50	0.66	< 2.0	140 67
2002-2003	< 35	< 70	< 3	< 0.25	< 1.68	< 2.7	2.5 - 12 H1 DC - HERA
2003-2007	58	140	2.45	0.18	1.82	3.7 - 7.6 2003 - design	1 000

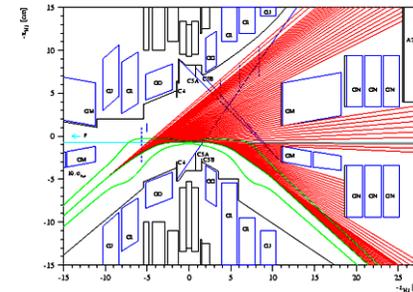
- Luminosity:**

- Low β and specific lumi reached, but currents limited by ...



- Background:**

- **synchrotron radiation :**
 - better masks + collimators :
 - coating, shape (HOMs), cooling
 - lead shielding of beam pipe 2 mm



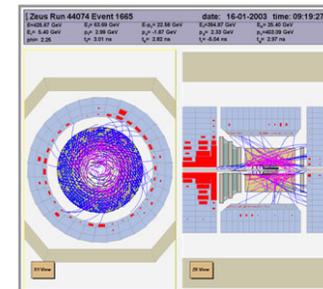
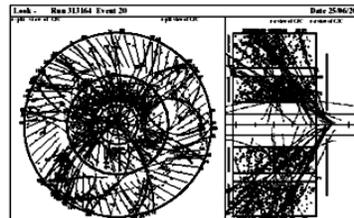
- **p-gas :**

only 25% of lumi with drift chambers

- large currents

improve vacuum

- add ion getter pumps
- long bake out
- started Sept 2003

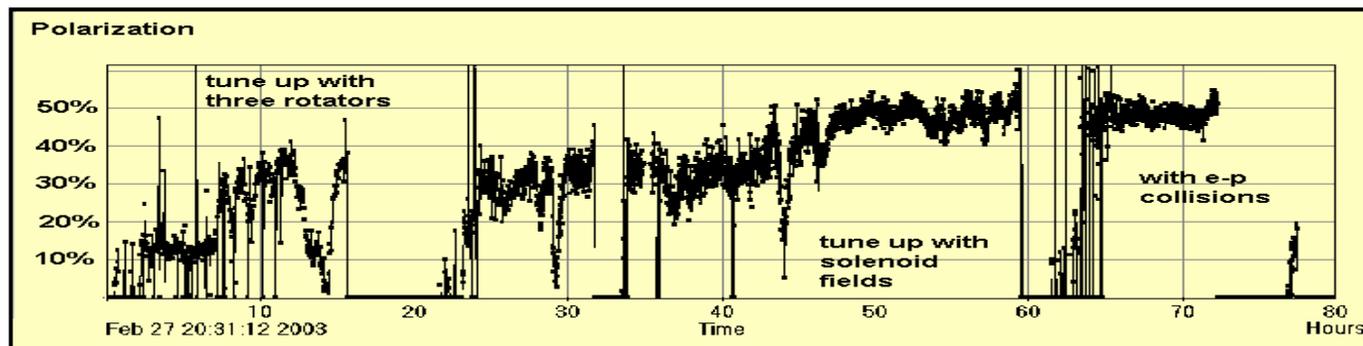
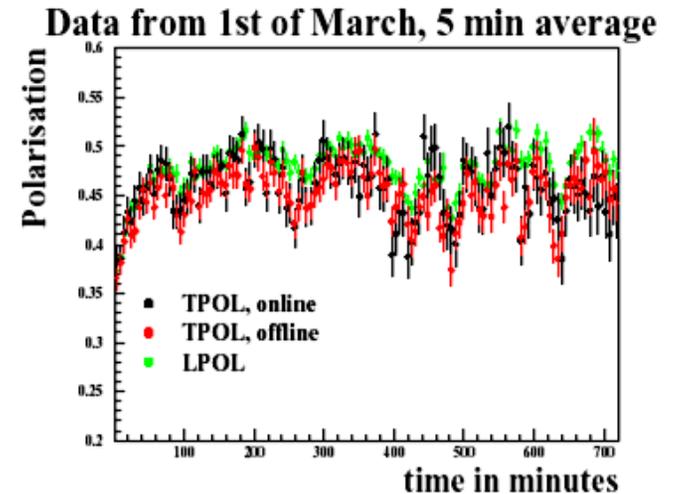




HERA Polarization



- $\sigma_{cc,pol}(e^\pm) = (1 \pm \lambda) \sigma_{cc}(e^\pm)$
- spin rotators around H1 and ZEUS :
 $\lambda \sim 50\%$ reached at first try
- need $d\lambda/\lambda$ as good as dL/L : $\sim 1\%$
precise polarimeters

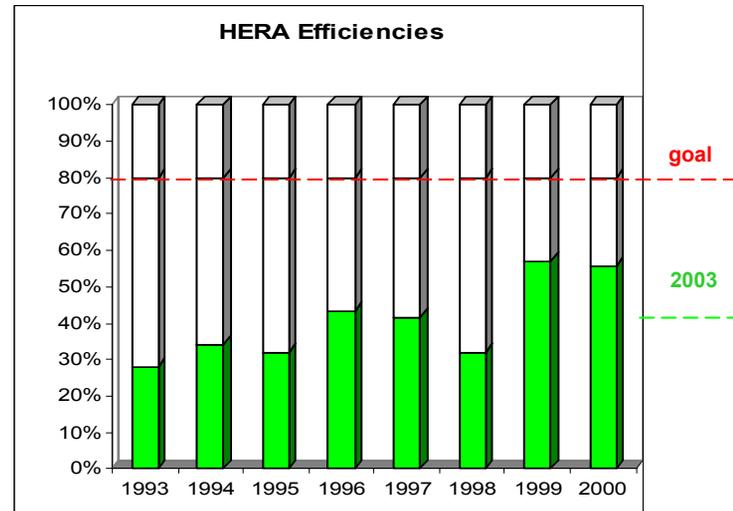
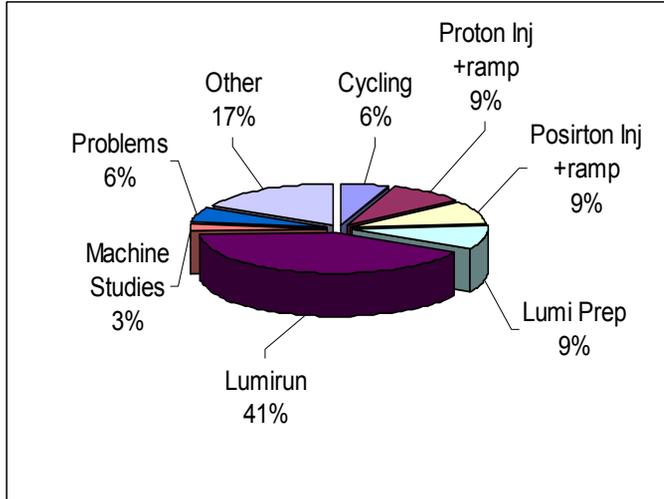




HERA 2002 / 3



- **27.5 GeV e** x **920 GeV p**
- **2 accelerators : efficiency²**
- **reliability:** running efficiency Feb 2003: 41 %
aging components





HERA Maximum Peak Luminosity



$$L = \frac{n_b \cdot I_{eb} \cdot I_{pb}}{2\pi e^2 f_0 \cdot \sigma_x \cdot \sigma_y}$$

$$I_e \cdot I_p \leq I_{\max}^2$$

$$L = \frac{I_{\max} \cdot \sqrt{I_{eb} \cdot I_{pb}}}{2\pi e^2 f_0 \cdot \sigma_x \sigma_y}$$

$$I_{eb} = \begin{cases} 0.300\text{mA (design)} \\ 0.600\text{mA (2 x design)} \end{cases}$$

$$I_{pb} = 0.600 \text{ mA (Y2000 max)}$$

$$I_p \cdot I_p \leq \begin{cases} 2000 \text{ mA}^2 = I_{\max}^2 \\ 1500 \text{ mA}^2 \\ 4000 \text{ mA}^2 \end{cases}$$

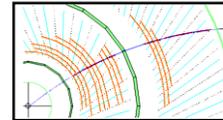
Can't get to maximum Luminosity with 180 bunches

Peak Luminosity Prospects 2003				
I_{\max}^2/mA^2	I_{ep}/mA^2	I_{pb}/mA	n_b	$L/\text{cm}^{-2}\text{sec}^{-1}$
2000	0.3	0.6	100	3.75535E+31
1500	0.3	0.6	90	3.37982E+31
4000	0.3	0.6	140	5.2575E+31
2000	0.6	0.6	70	5.2575E+31
1500	0.6	0.6	60	4.50643E+31
4000	0.6	0.6	90	6.75964E+31

F.Willeke:
A likely scenario



H1 Upgrade



Fast Track Trigger

Very Forward Proton Spectrometer VFPS

FNC 106 m
FPS 60-90 m
VFPS 220 m

HERA PRC proposals modifications

Jet Trigger

FTD FTI FST CST BST BP

T-Pol (West)
L-Pol (East)

polarimeters

e

27.5 GeV

p

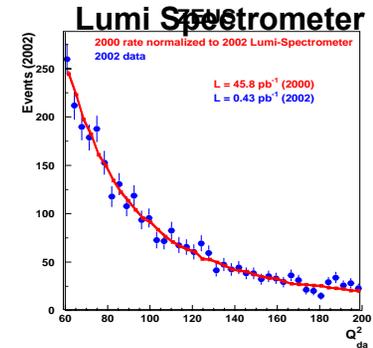
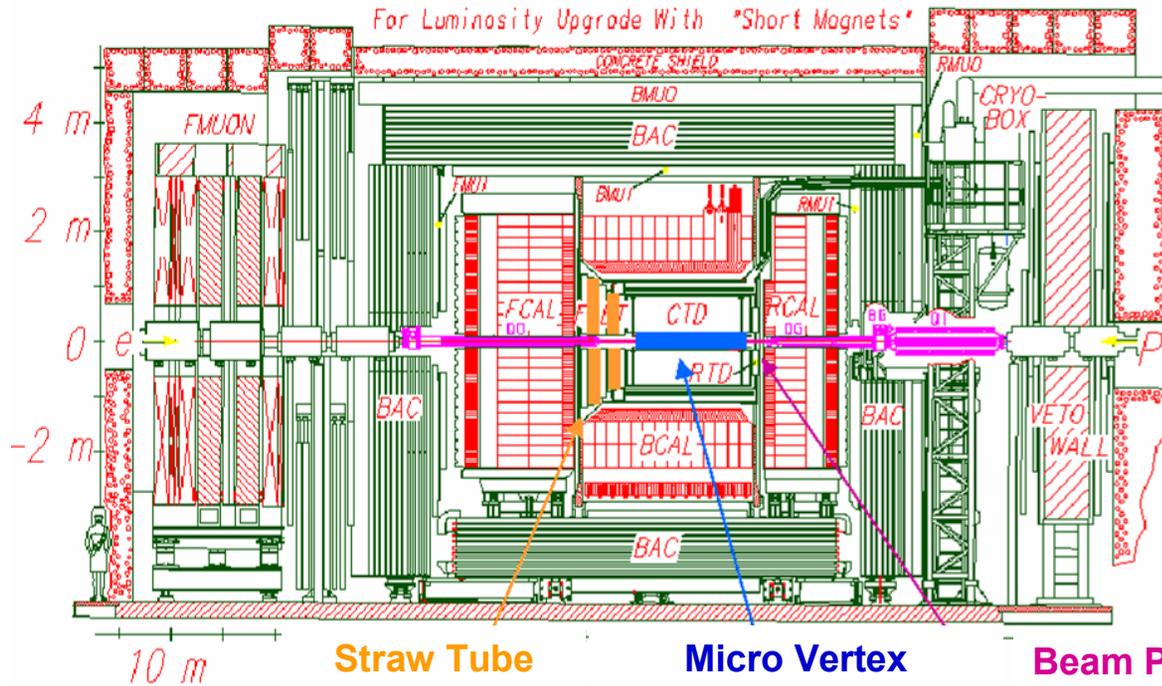
920 GeV

Forward tracking: Si + DC



Lumi -103 m
Étag-40
DCM
L4/5
Sim
Rec
OO

ZEUS Upgrade



Straw Tube
Forward Tracker

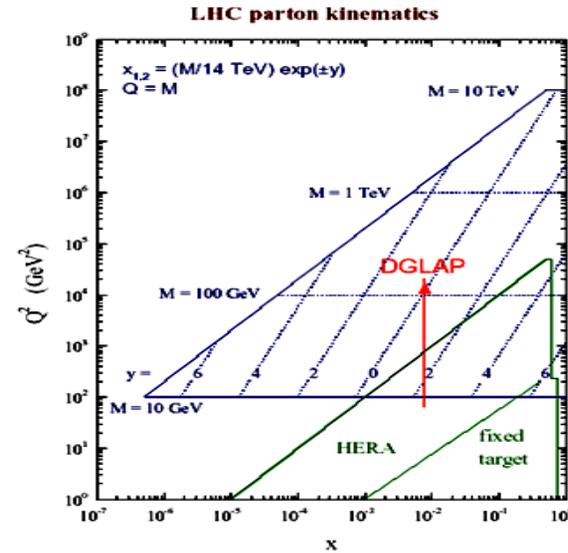
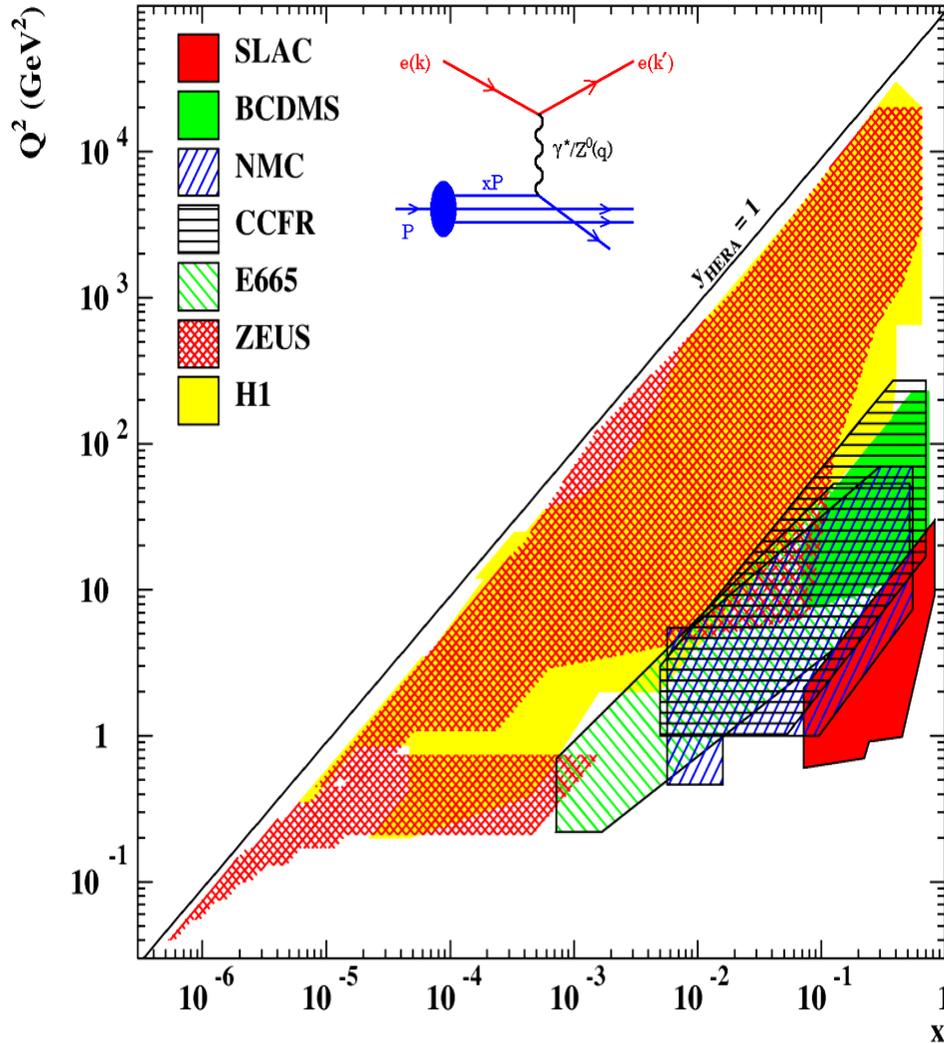


Micro Vertex
Detector



Beam Pipe
Magnets

DIS Kinematics



centre-of-mass energy squared:
 $s = (k + p)^2 = 4 E_e E_p$

$Q^2 = -q^2 = -(k - k')^2 = s x y$
 four-momentum transfer squared

$x = Q^2 / (2P \cdot q)$ Bjorken- x
 momentum fraction of struck parton

$y = (P \cdot q) / (P \cdot k)$ inelasticity
 relative energy transfer to the proton

hadronic energy squared
 $W^2 = (q + p)^2 = s y$



NC Cross Section



$$\frac{d^2\sigma^{\text{NC}}}{dx dQ^2}(e^\pm) = \frac{2\pi\alpha^2}{xQ^4} (Y_+ \mathcal{F}_2 \mp Y_- x\mathcal{F}_3 - y^2 \mathcal{F}_L) = \frac{2\pi\alpha^2}{xQ^4} Y_+ \tilde{\sigma}_{\text{NC}}(x, Q^2)$$

$Y_\pm = 1 \pm (1-y^2)$ helicity dependence

$\tilde{\sigma}_{\text{NC}}$ = reduced cross section

Generalized Structure Functions :

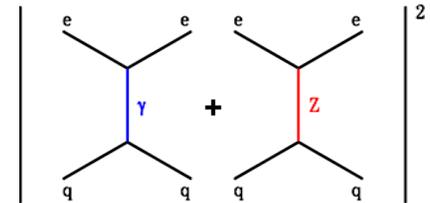
$$\mathcal{F}_2 = F_2^\gamma + a_2 F_2^{\gamma Z} + b_2 F_2^Z$$

$$x\mathcal{F}_3 = a_3 xF_3^{\gamma Z} + b_3 xF_3^Z$$

$$\mathcal{F}_L = F_L^\gamma + \dots$$

parity violating

(longitudinal, small at low y)



$$F_2^{\gamma, \gamma Z, Z} = x \sum_q (e_q^2, 2e_q v_q, v_q^2 + a_q^2) (q + \bar{q})$$

$$xF_3^{\gamma Z, Z} = 2x \sum_q (e_q a_q, v_q a_q) (q - \bar{q}) = 2x \sum_{q=u,d} (e_q a_q, v_q a_q) q_v$$

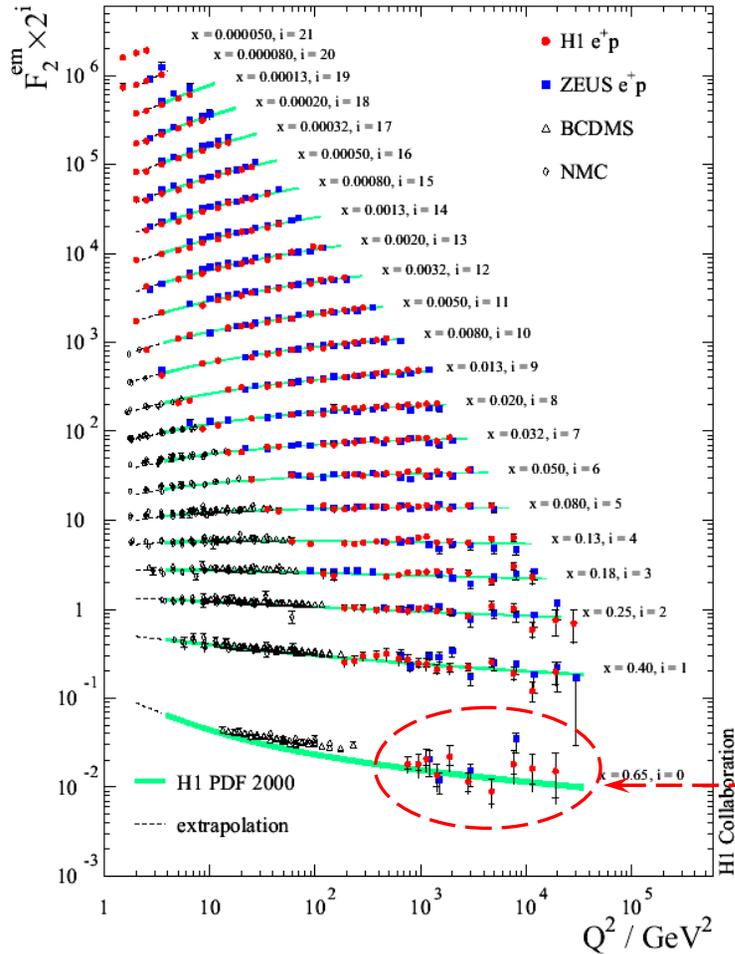
valence quarks



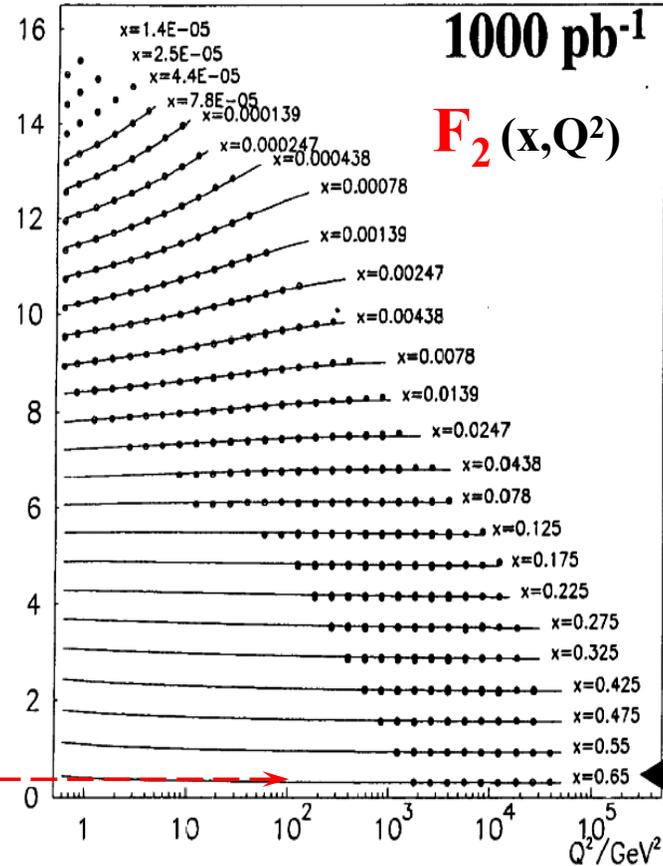
F₂



HERA 1



HERA 2



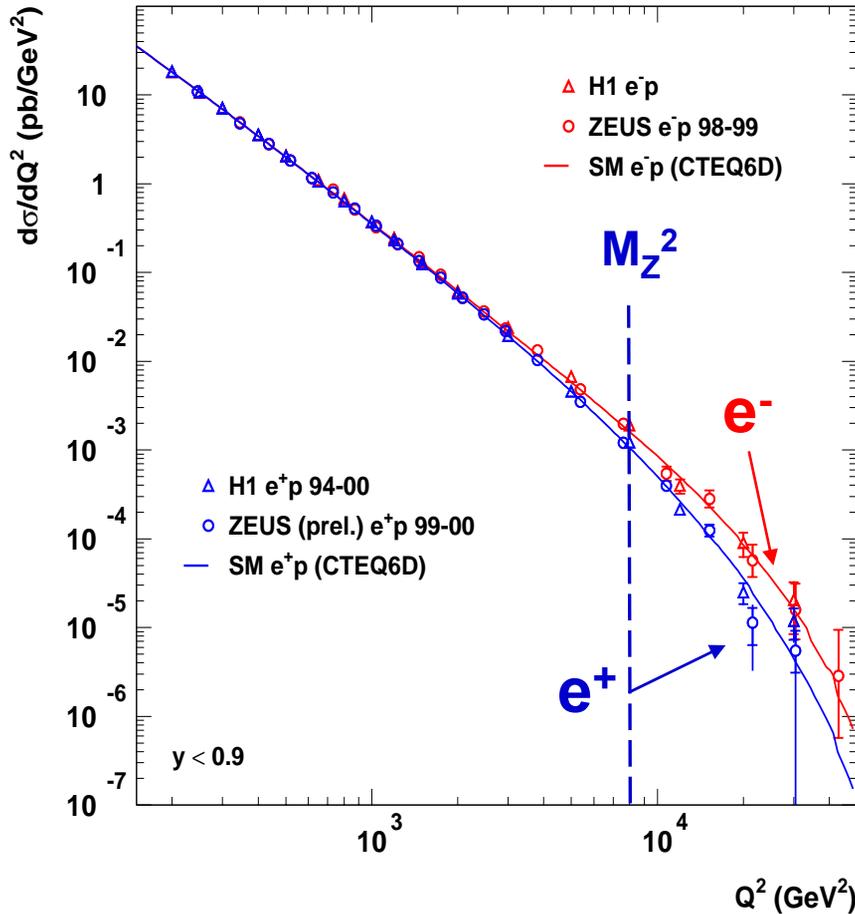
measure proton structure with
fixed target precision at high $x + Q^2$!



NC cross section



HERA Neutral Current



Standard Model :

describes data over
6 orders of magnitude !

$Q^2 > M_Z^2$:

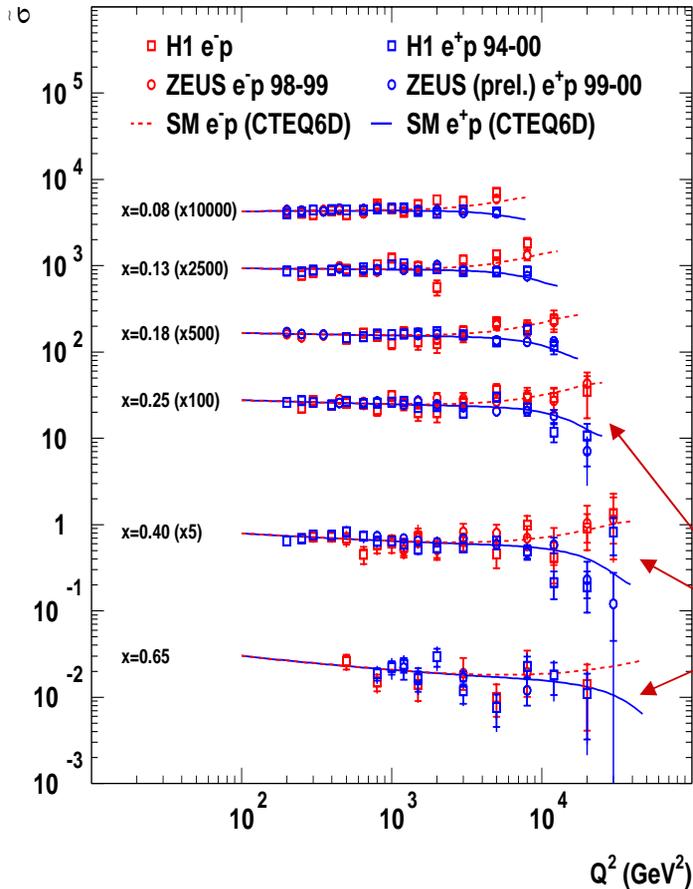
sensitivity to
electro-weak effects :

γ -Z interference:

- constructive for e^-
- destructive for e^+

NC: γ -Z interference

HERA Neutral Current at high x



Reduced cross section:

$$\tilde{\sigma} = \frac{1}{Y_+} \frac{xQ^4}{2\pi\alpha^2} \frac{d^2\sigma}{dx dQ^2}$$

e^- constructive

effect of γ -Z interference

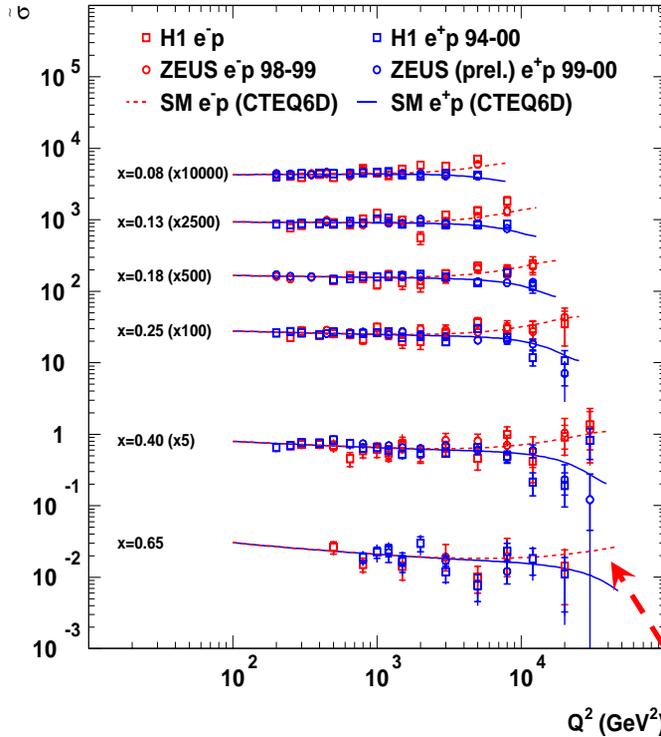
e^+ destructive



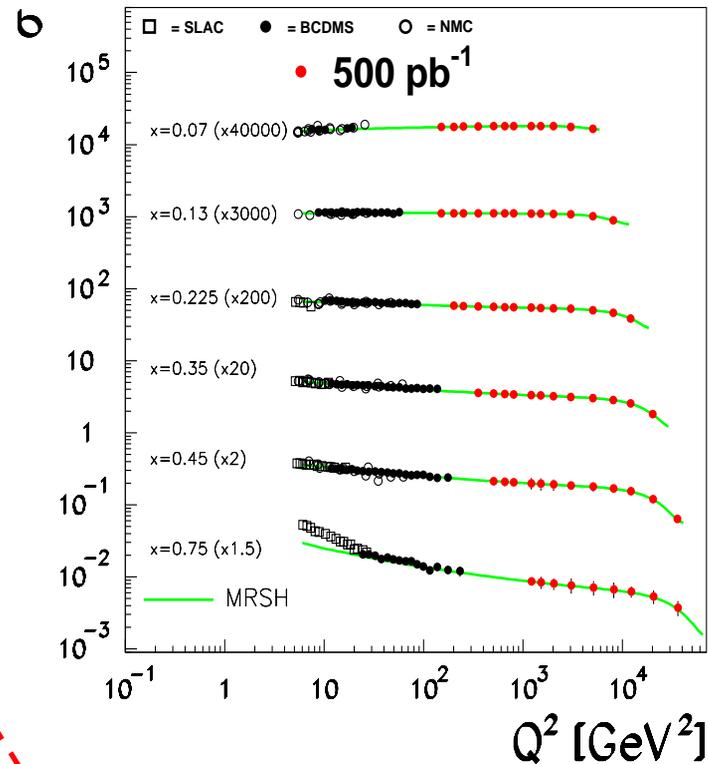
NC cross sections



HERA 1



HERA 2



γ -Z interference: e⁻ constructive / e⁺ destructive

500 pb⁻¹: 10 % cross section error for $Q^2 > 16.000$ GeV²

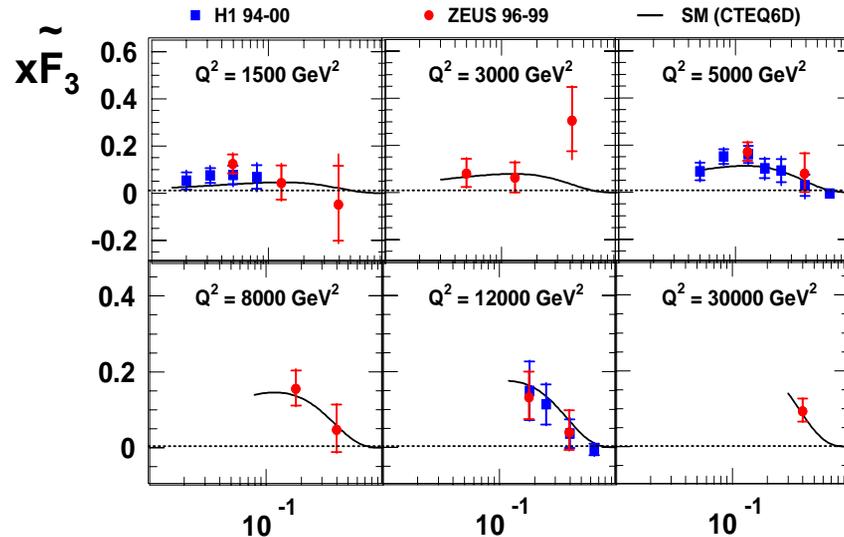
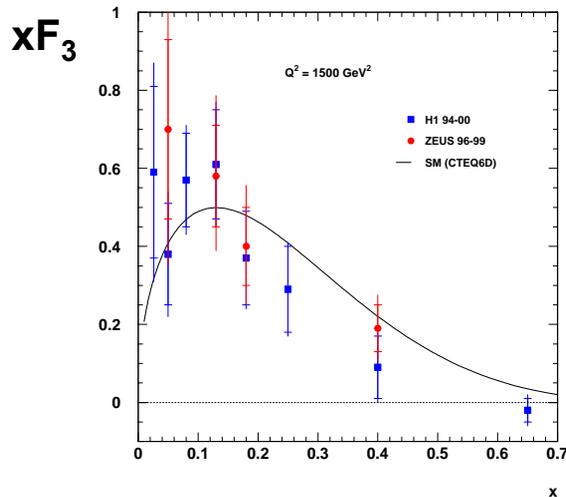


NC: $x\tilde{F}_3$



$$\frac{d^2\sigma_{\text{NC}}(e^+p)}{dx dQ^2} = \frac{2\pi\alpha^2}{xQ^4} [Y_+\tilde{F}_2 - y^2\tilde{F}_L \mp Y_-\tilde{F}_3] = \frac{2\pi\alpha^2}{xQ^4} Y_+\tilde{\sigma}(x, Q^2)$$

$$x\tilde{F}_3 = (\tilde{\sigma}^- - \tilde{\sigma}^+)_{\text{NC}} Y_+/2Y_- = 2x \sum_q e_q a_q [q - \bar{q}] \sim q_v$$



direct access to **valence quark distribution !** Need lumi : **HERA 2 !**



NC vs CC

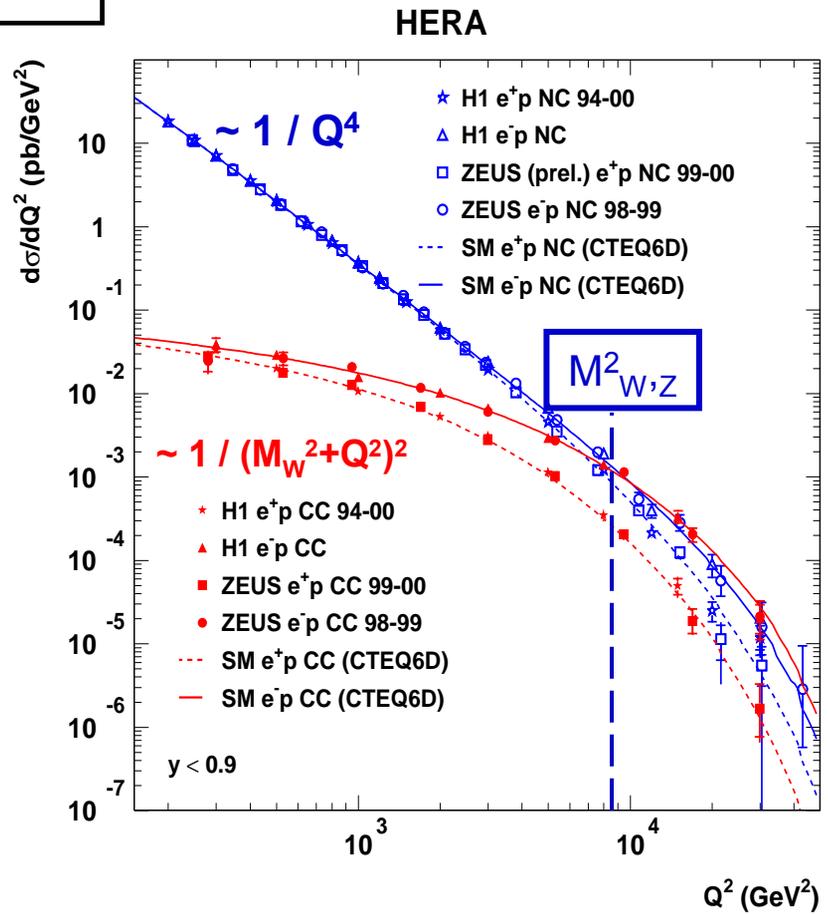


$$\frac{d^2\sigma_{e-p}^{CC}}{dx dQ^2} = (1 - \lambda) \frac{\pi\alpha^2}{8 \sin^4 \theta_W} \left(\frac{1}{M_W^2 + Q^2} \right)^2 F_2^{CC}(x, Q^2)$$

ignore F_L and xF_3

$\lambda = \pm 1$ for left/right handed e

	COUPLING	PROPAGATOR
NC	$2\pi\alpha^2$	$1 / Q^4$
CC	$\pi\alpha^2 / 8 \sin^4 \theta_W$	$1 / (Q^2 + M_W^2)^2$
	similar since $\sin^2 \theta_W \sim 1/4$	similar at $Q^2 > M_W^2$
'Unification' of elm. and weak forces		



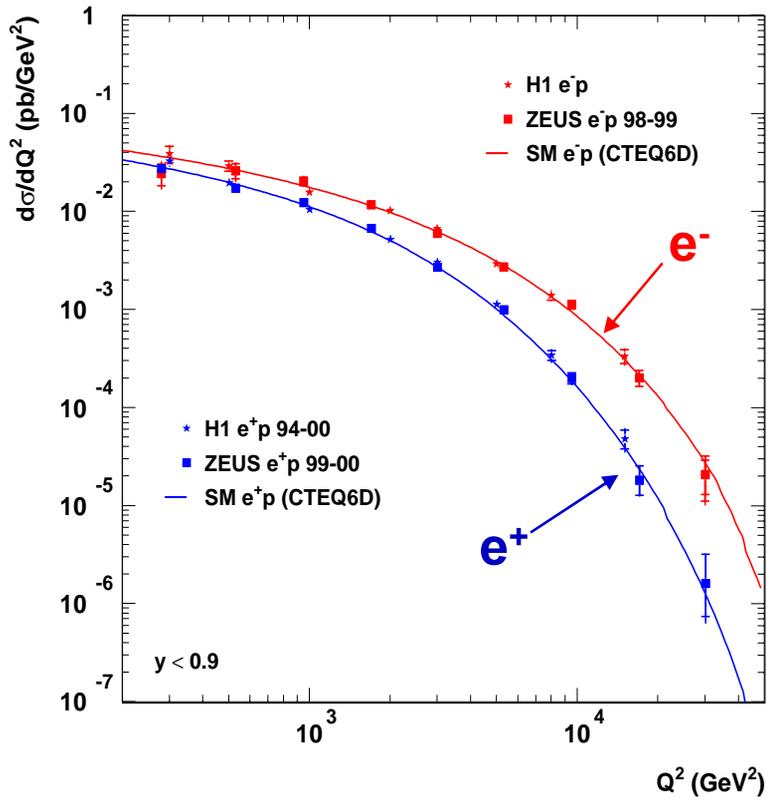


CC Cross Section



$$\frac{d^2\sigma_{CC}}{dx dQ^2} (e^\pm) = \frac{G_F^2}{4\pi} \times \left[\frac{M_W^2}{M_W^2 + Q^2} \right]^2 (Y_+ F_2^\pm \mp Y_- x F_3^\pm - y^2 F_L^\pm)$$

HERA Charged Current



$$\sigma(e^-p) > \sigma(e^+p)$$

$$\sigma(e^-p) \sim x(u+c) + (1-y^2) x(\bar{d}+\bar{s})$$

$$\sigma(e^+p) \sim x(\bar{u}+\bar{c}) + (1-y^2) x(d+s)$$

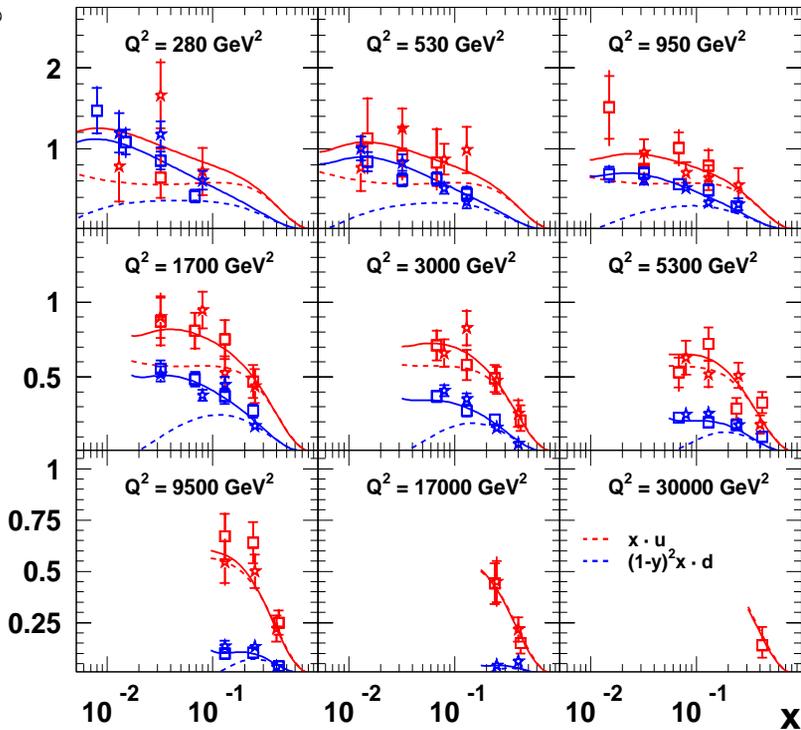


CC Cross Section



HERA 1 Charged Current

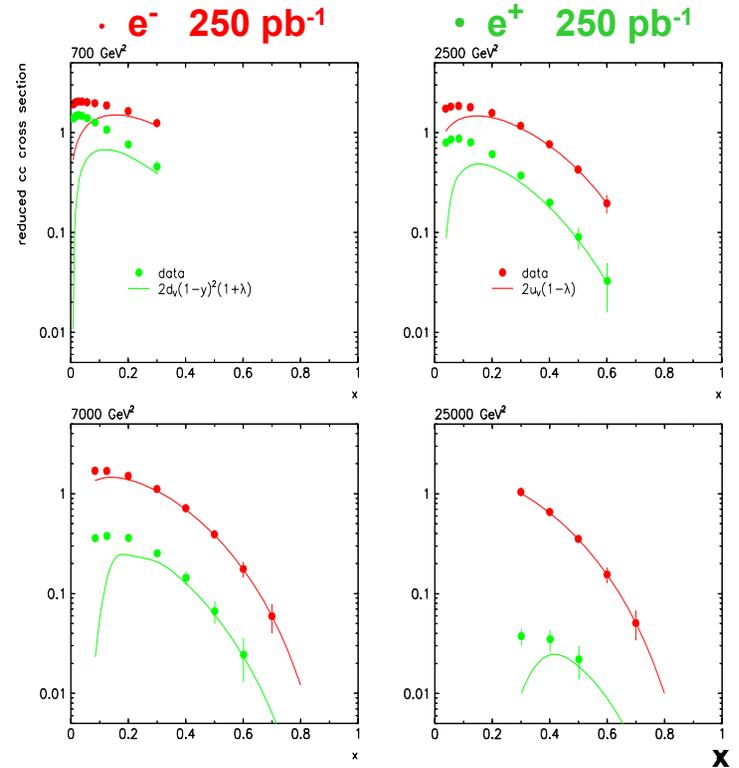
- ★ H1 e⁻p ★ H1 e⁺p 94-00 — SM e⁻p (CTEQ6D)
- ZEUS e⁻p 98-99 □ ZEUS e⁺p 99-00 — SM e⁺p (CTEQ6D)



$$\text{--- } \sigma(e^-p) \sim x(u+c) + (1-y)^2 x(\bar{d}+\bar{s})$$

$$\text{--- } \sigma(e^+p) \sim x(\bar{u}+\bar{c}) + (1-y)^2 x(d+s)$$

HERA 2



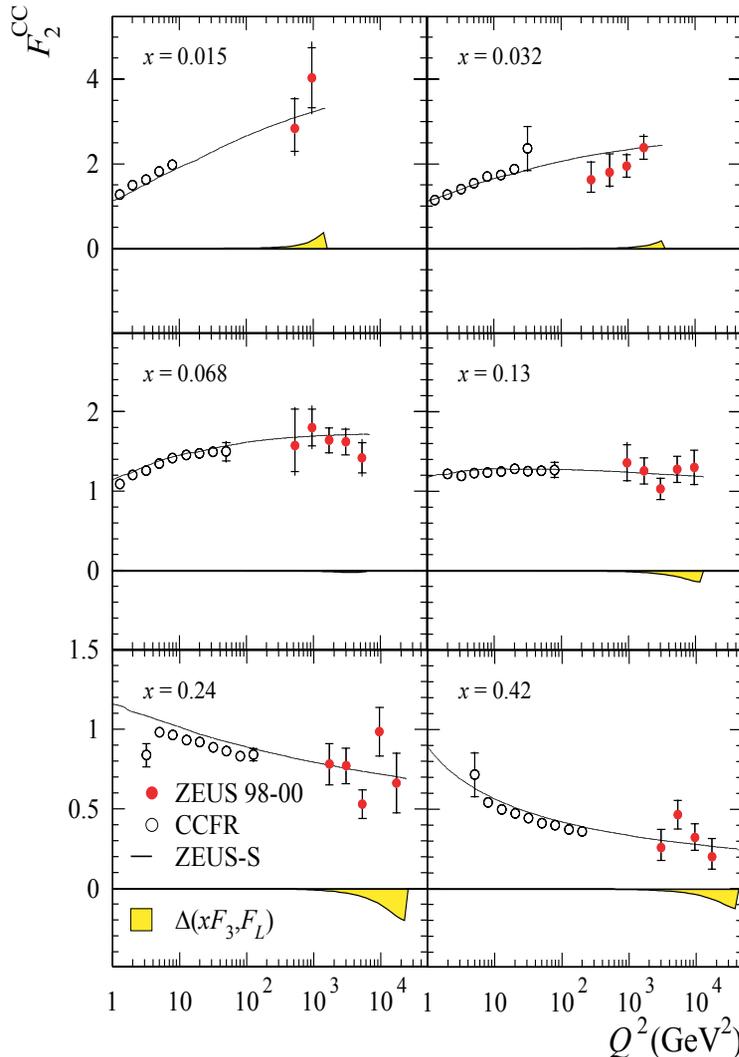
constrain **u** and **d**
valence quark density at

high x and Q²

need more lumi

HERA 2

ZEUS



CC quark singlet structure function :

$$F_2^{CC} = 2 / Y_+ (\sigma^+ + \sigma^-)_{cc} + \Delta(xF_3, F_L)$$

see **scaling violations in CC !**

HERA 2 :

reach precision of
neutrino experiments !



Polarization in CC



- weak interactions **violate parity** :

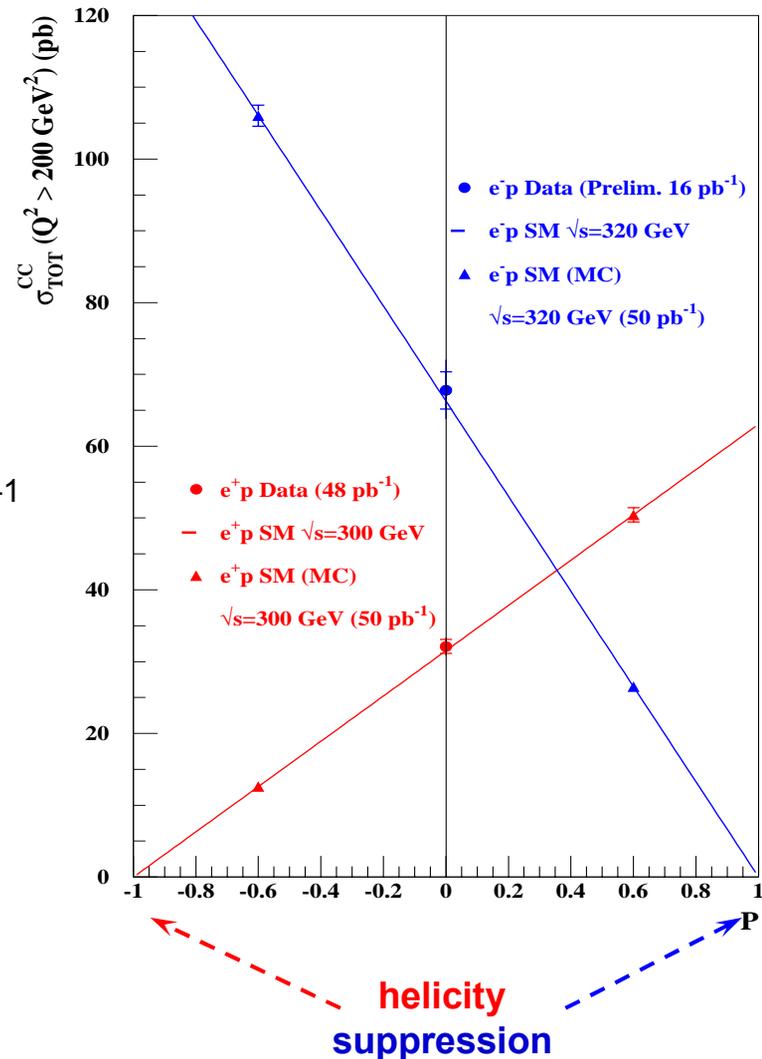
$$\sigma_{cc}(\lambda, e^\pm) = (1 \pm \lambda) \sigma_{cc}(0, e^\pm)$$

- test **chiral structure of SM** :

- $\lambda=1.0$: switch CC on / off !
- $\lambda=0.6$: simulate with 4 x 50 pb⁻¹
- $(1+0.6) / (1-0.6) = 4 \pm 0.0?$

- **polarization** :

- varies in time -> syst. error
- as precise as lumi ? 1-2% ?





Polarization

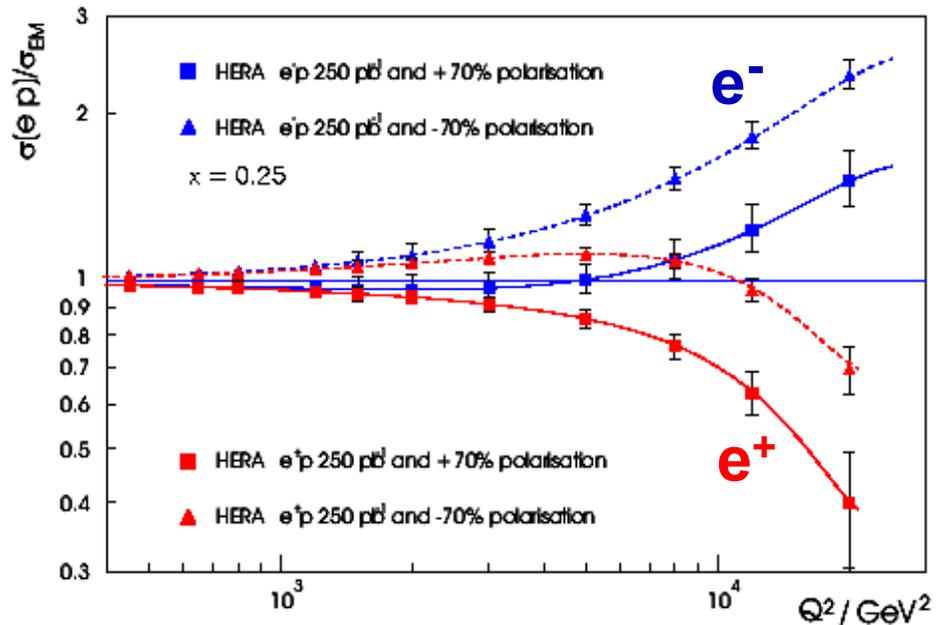
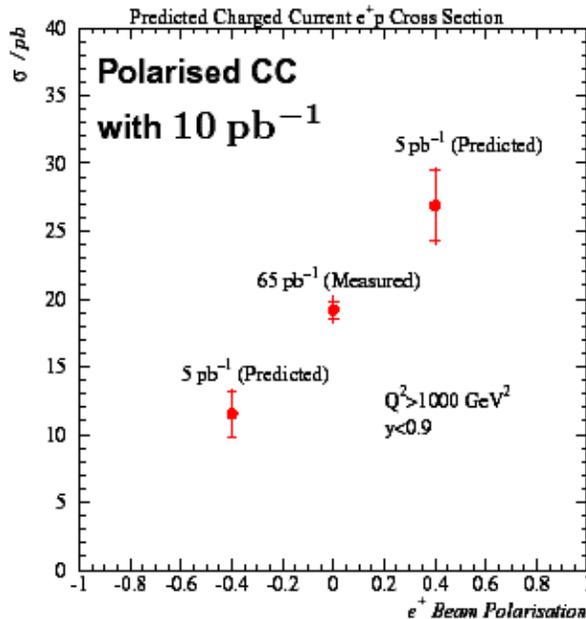


CC cross section

$$e^- \quad 2 \times 5 \text{ pb}^{-1} \quad \lambda = \pm 0.4$$

NC cross section

$$e^\pm \quad 4 \times 250 \text{ pb}^{-1} \quad \lambda = \pm 0.7$$



try 2003 !?

- "F₂" of γ -Z interference: parity violating

$$\frac{\sigma(\lambda) - \sigma(-\lambda)}{\sigma(\lambda) + \sigma(-\lambda)} \sim \pm \lambda \kappa_Z a_e \frac{G_2}{F_2} \sim \pm \lambda \kappa_Z \frac{1 + \boxed{d/u}}{4 + \boxed{d/u}} \quad \text{for NC } e^\pm$$

- simulation of $2 \times 200 \text{ pb}^{-1}$ with $\lambda = \pm 0.5$:

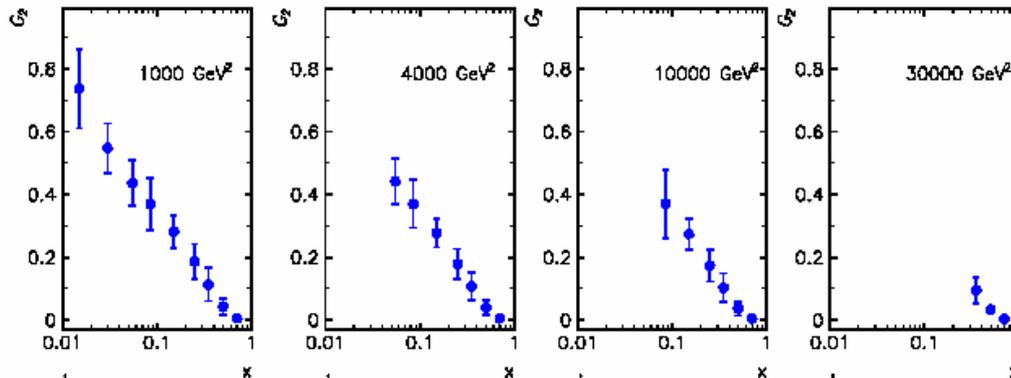
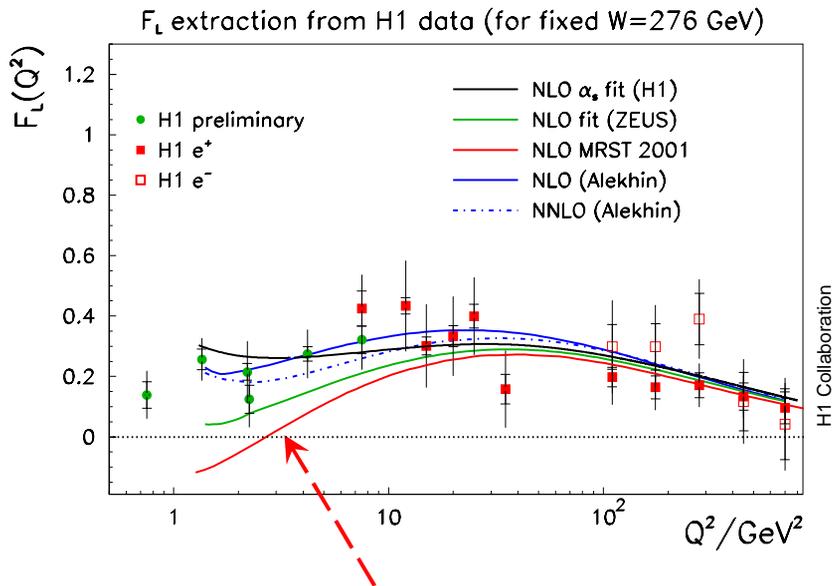


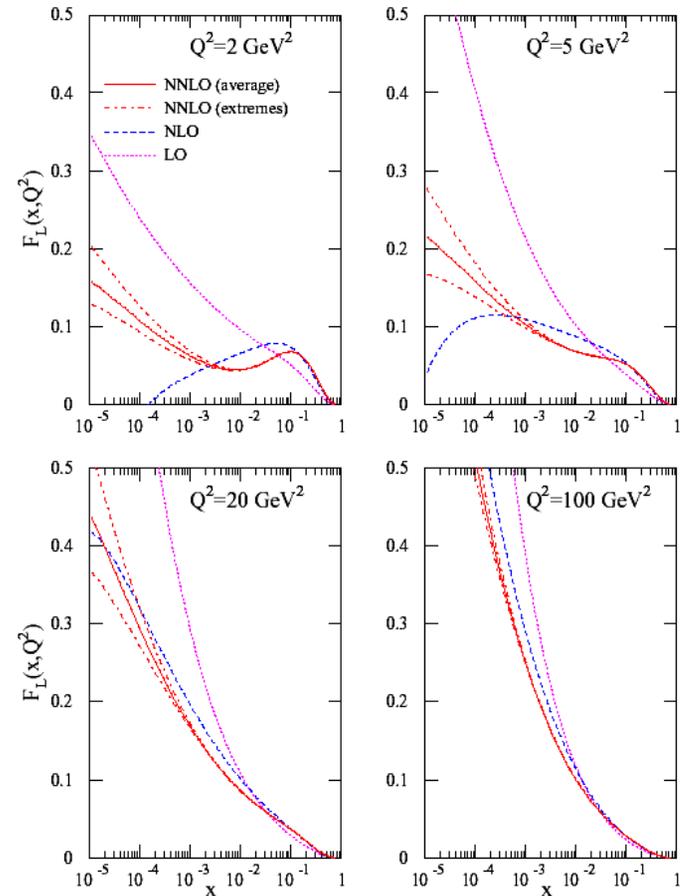
Figure 4: Expected statistical accuracy of the γ Z interference structure function G_2 for $P = \pm 0.5$ and 200 pb^{-1} for each polarization. From M.Klein, Proceedings DIS Bologna

F_L sensitive to gluon
and to theory.

Important **measurement +**
consistency **test of QCD !**



F_L in LO - NLO - NNLO



R. Thorne, Lepton-Photon, FNAL 2003



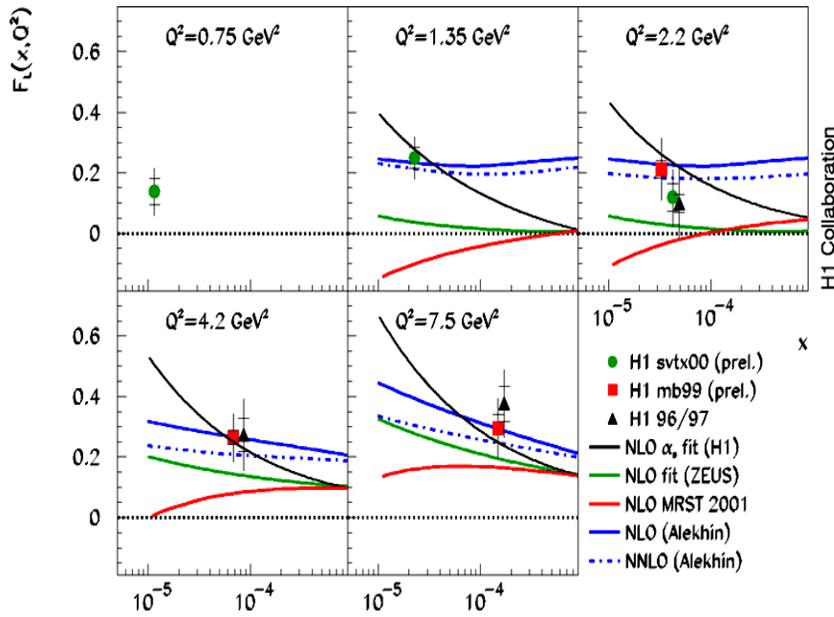
F_L



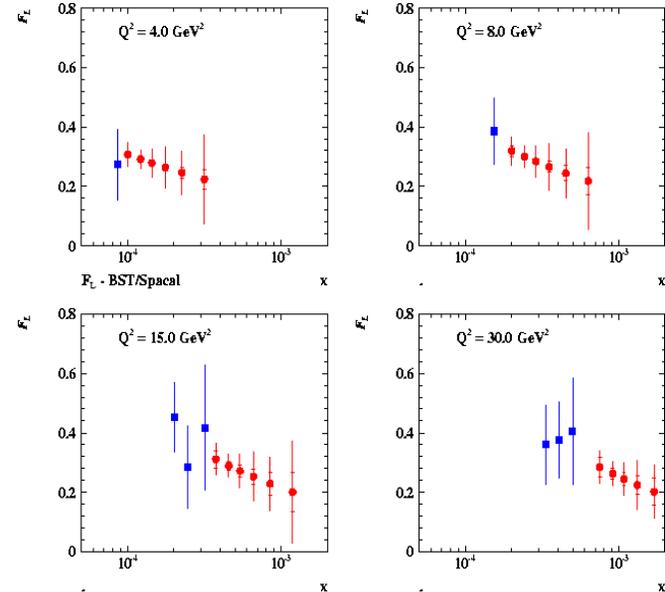
$$\frac{d^2\sigma}{dx dQ^2} = \frac{4\pi\alpha^2}{xQ^4} (1 + (1-y)^2) F_2(x, Q^2) - y^2 F_L(x, Q^2)$$

HERA 1: determine F_L
with extrapolation method

HERA 2: vary *y* by varying E_p
E_p = 300, 350, 465, 920 GeV 10 pb⁻¹ each



T.Lastovicka, EPS 2003 Aachen



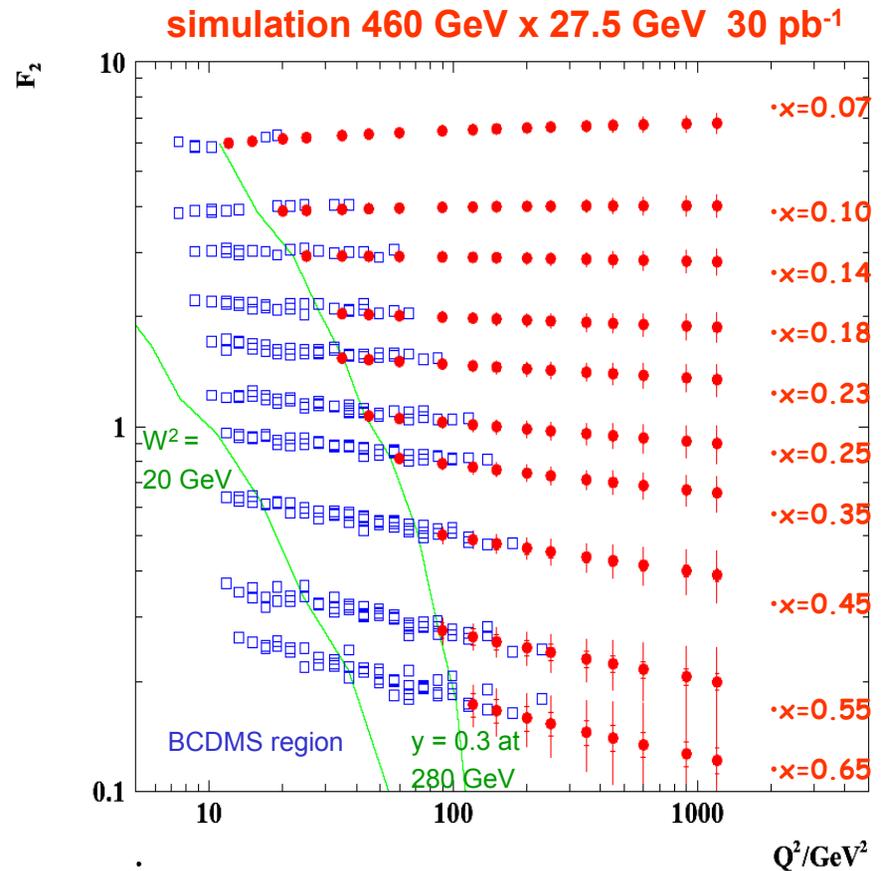
L.Bauerdick, A.Glazov, M.Klein, HERA Workshop 1996



HERA low energy



- minimum possible proton energy:
- extend kinematics
- access large x
at lower Q^2
overlap with BCDMS
- α_s from one expt. ?





Parton Distribution Functions

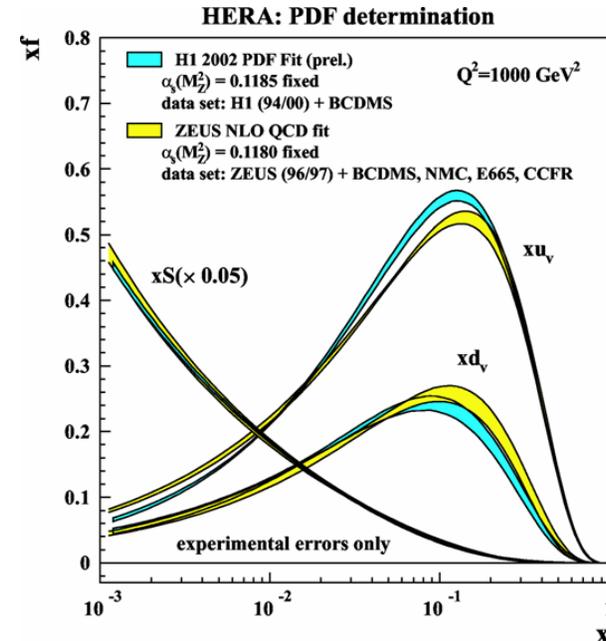


DGLAP equations:

$$\frac{dq_i(x, Q^2)}{d \ln Q^2} = \frac{\alpha_S(Q^2)}{2\pi} \int_x^1 \frac{dz}{z} [q_i(z, Q^2) P_{qq}\left(\frac{x}{z}\right) + g(z, Q^2) P_{qg}\left(\frac{x}{z}\right)]$$

$$\frac{dg(x, Q^2)}{d \ln Q^2} = \frac{\alpha_S(Q^2)}{2\pi} \int_x^1 \frac{dz}{z} [\sum_i (q_i(z, Q^2) + \bar{q}_i(z, Q^2)) P_{gq}\left(\frac{x}{z}\right) + g(z, Q^2) P_{gg}\left(\frac{x}{z}\right)]$$

- needed to understand new physics !
- valence quarks :
% precision
- problem: **gluon** !





Parton Distribution Functions



needed to **understand new physics, e.g. at LHC !**

QCD fits to structure functions :

$$F_2 \sim 4/9 (U+\bar{U}) + 1/9 (D+\bar{D})$$

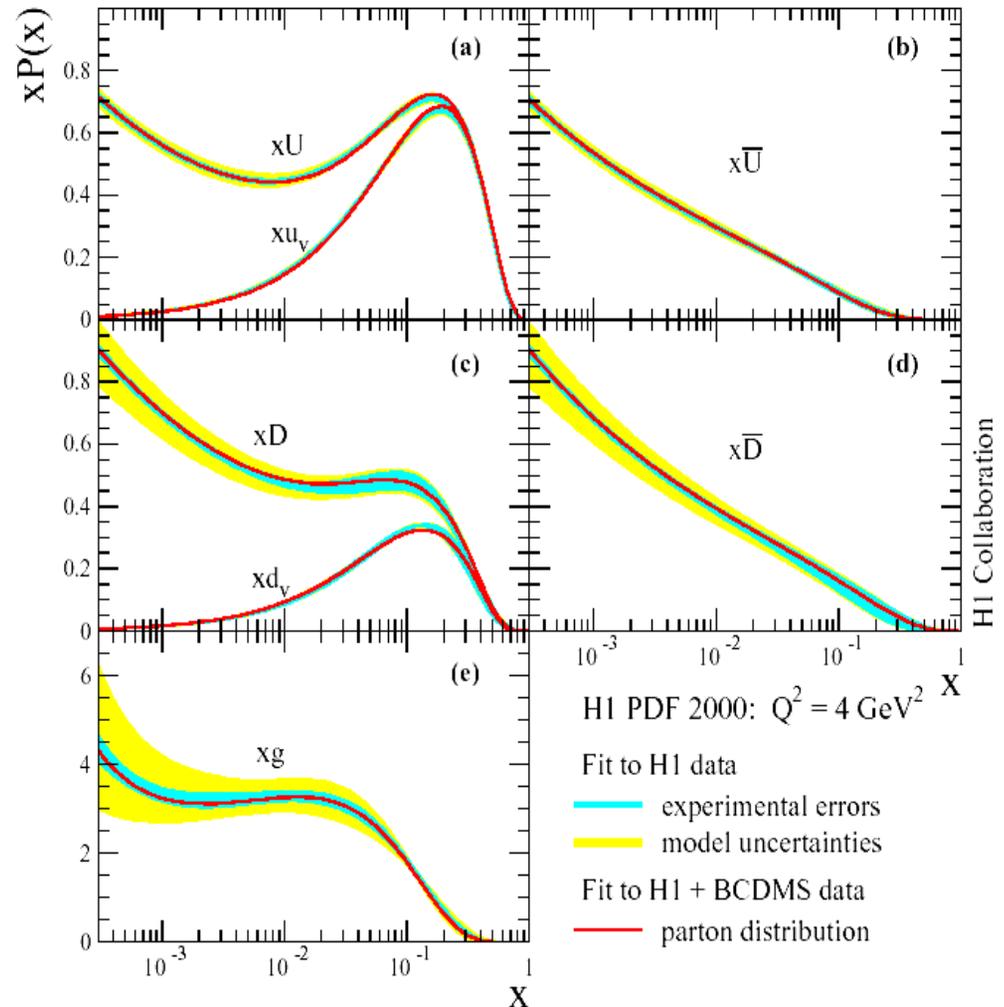
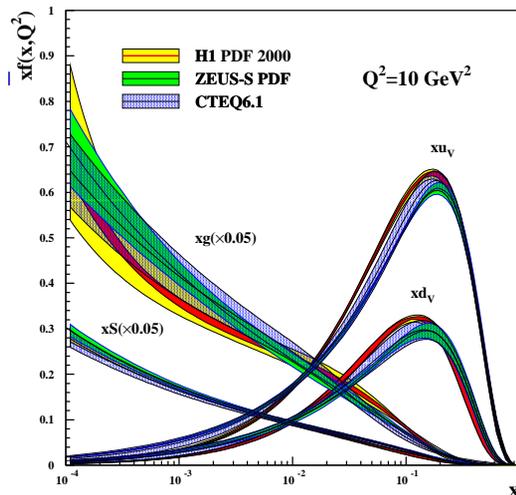
$$xF_3 \sim 2 (U-\bar{U}) + (D-\bar{D})$$

with

$$\bar{D} = \bar{d} + \bar{s} \quad \bar{U} = \bar{u} + \bar{c}$$

$$U = u + c \quad D = d + s$$

% precision except for **gluon** :



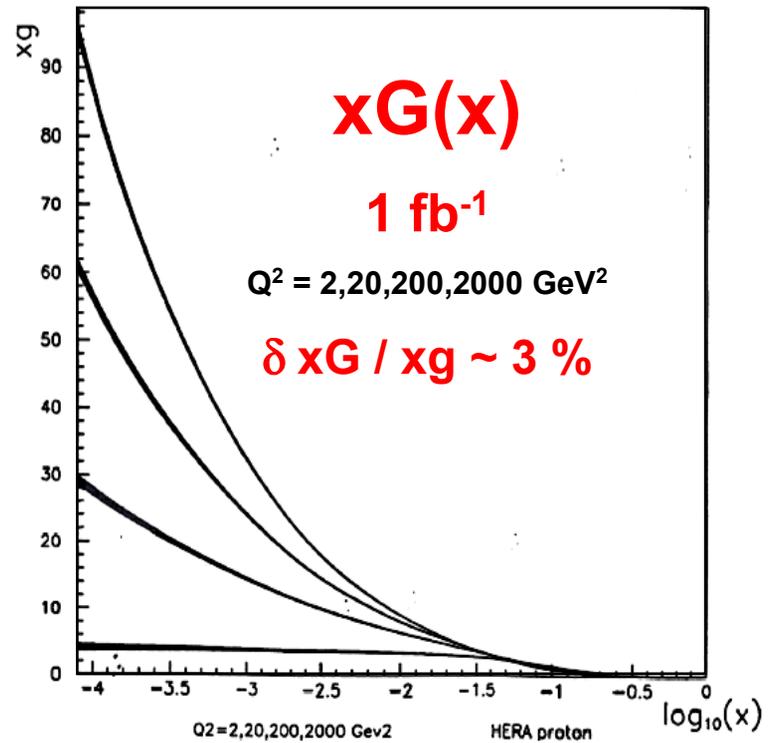
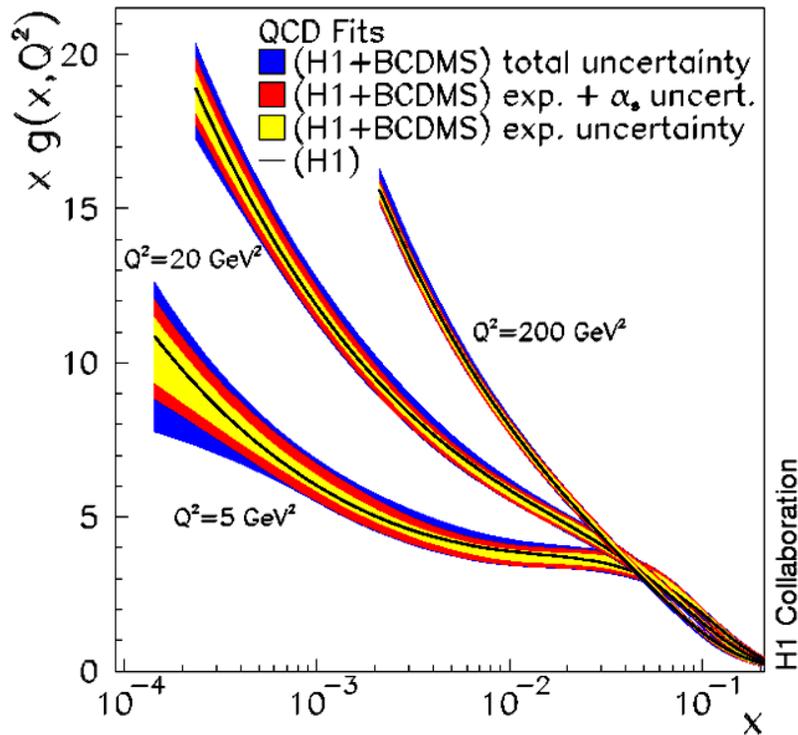


Gluon



HERA 1

HERA 2



systematics fitted

M.Botje, M.Klein, C.Pascaud, HERA Workshop 1995



$\alpha_s(Q^2)$



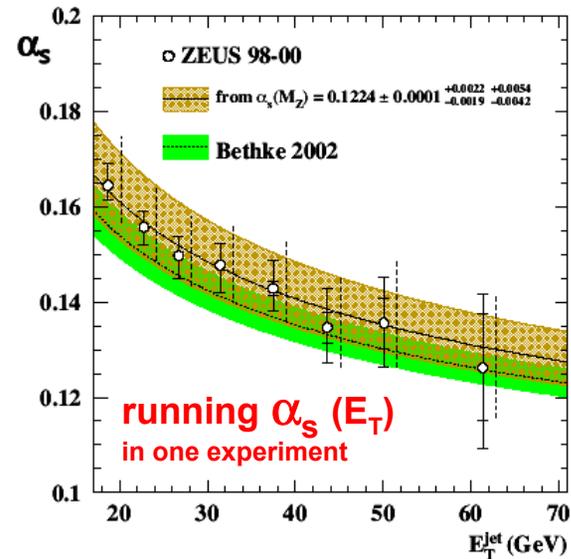
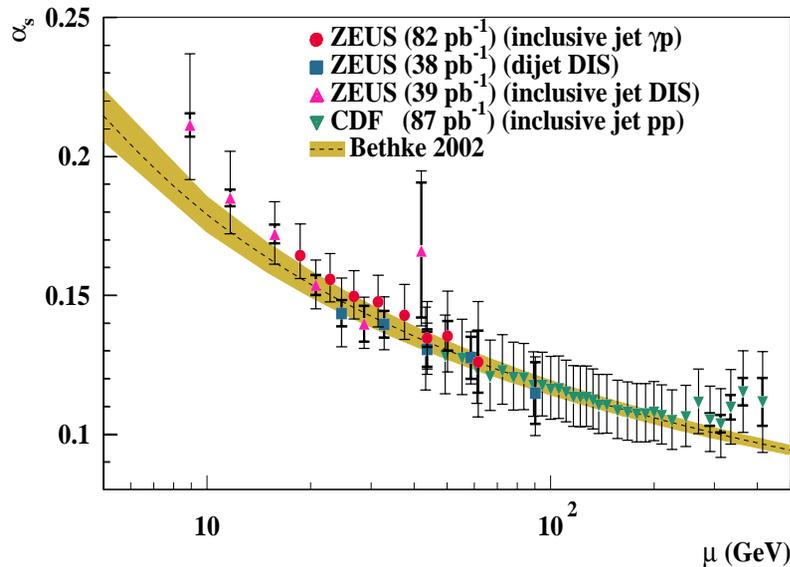
- QCD fit of F_2 scaling violations :

$$\alpha_s = 0.1150 \pm 0.0019 \text{ (expt+fit)} \pm 0.0050 \text{ (scale)} \quad \mathbf{H1}$$

$$\alpha_s = 0.1166 \pm 0.0052 \text{ (expt+fit)} \pm 0.0040 \text{ (scale)} \quad \mathbf{ZEUS}$$

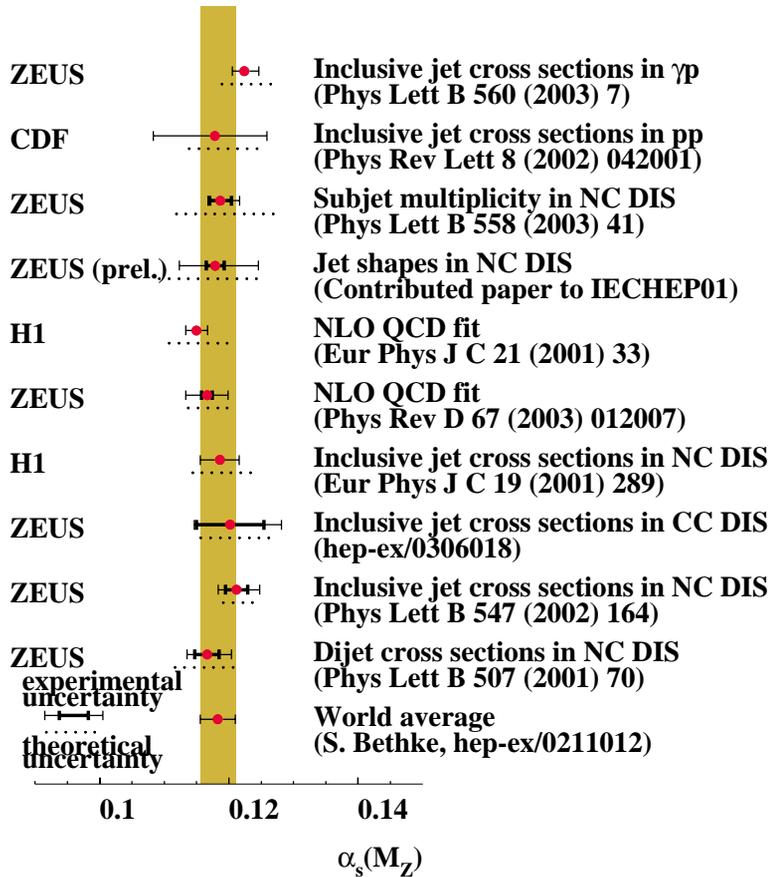
- Jet cross sections: 1, 2, 3 jets

$$\alpha_s = 0.1224 \pm 0.002 \text{ (exp)} \pm 0.004\text{-}5 \text{ (theory)}$$





α_s at HERA



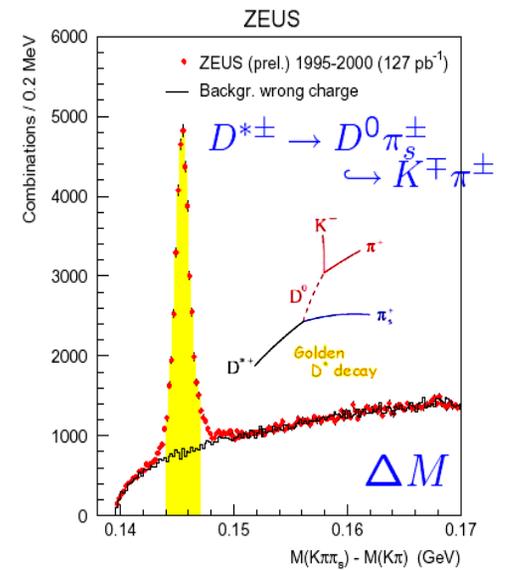
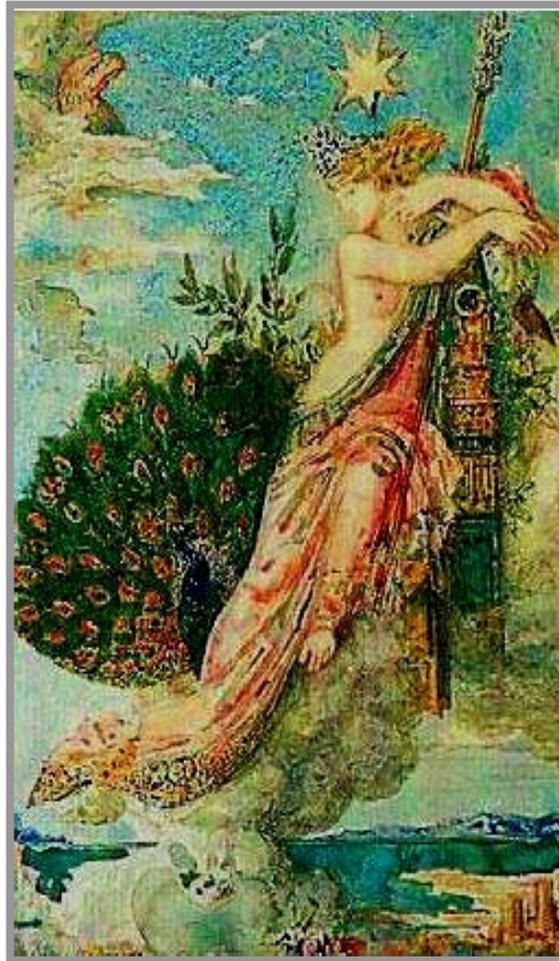
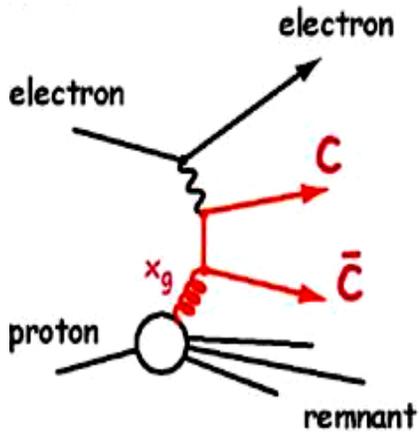
$\delta \alpha_s$	HERA 1	HERA 2
experiment	0.002	0.001
theory	0.005	0.00?

precision limited by **theory** :

NNLO non-singlet expected for 2003
 NNLO singlet + gluon 2004



HERA's Charm and Beauty





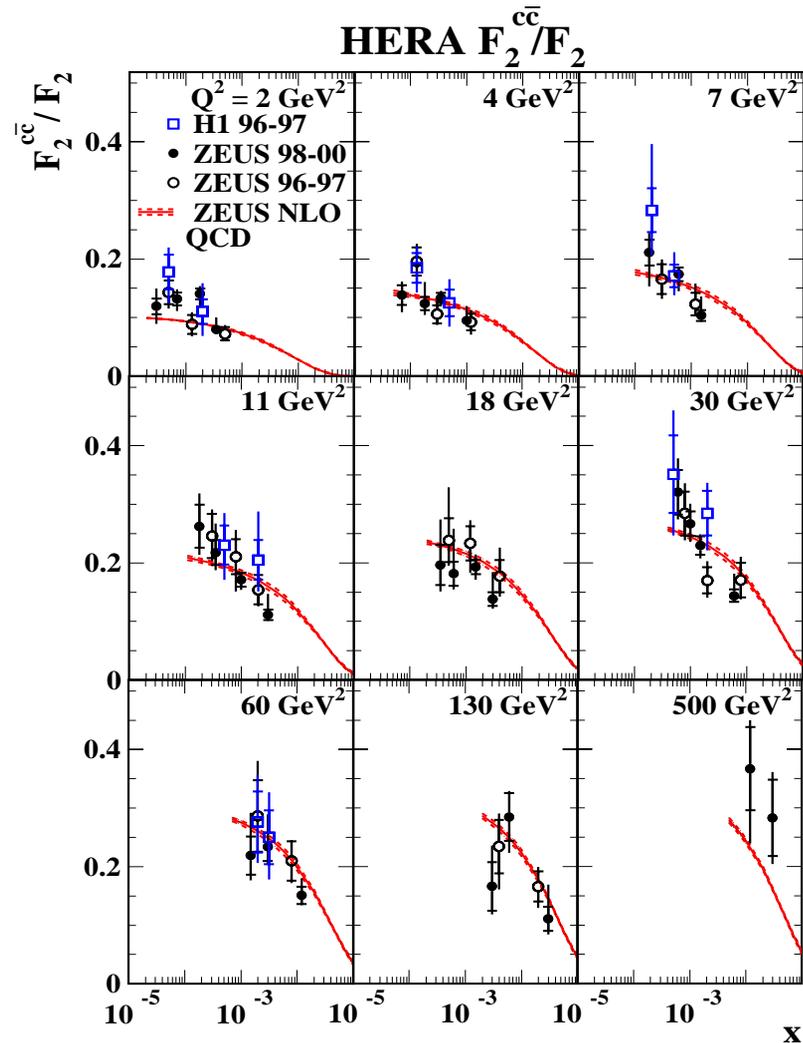
F_2^c / F_2



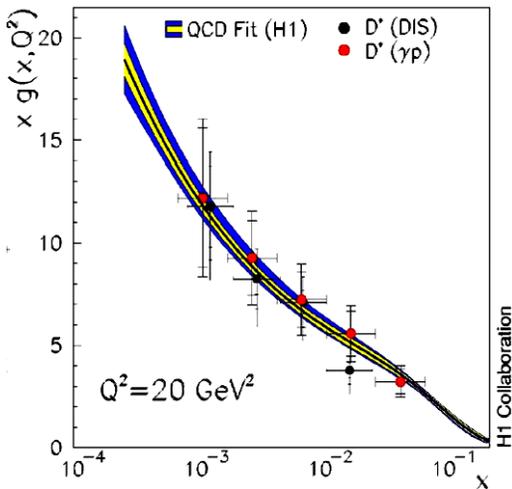
charm fraction
in the proton

$$F_2^c / F_2$$

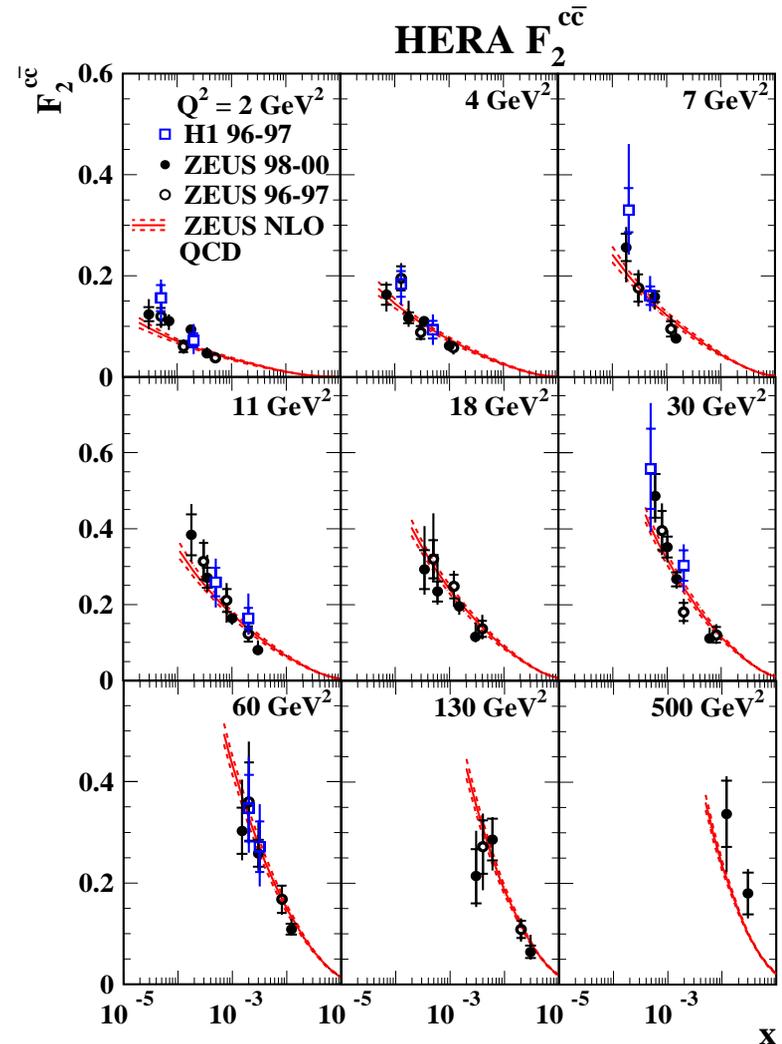
at high Q^2
reaches 30-40% :



- use $D^* \rightarrow D \pi$ to tag charm
- F_2^c agrees with prediction based on $xg(x)$ from F_2 QCD fits
- and vice versa :

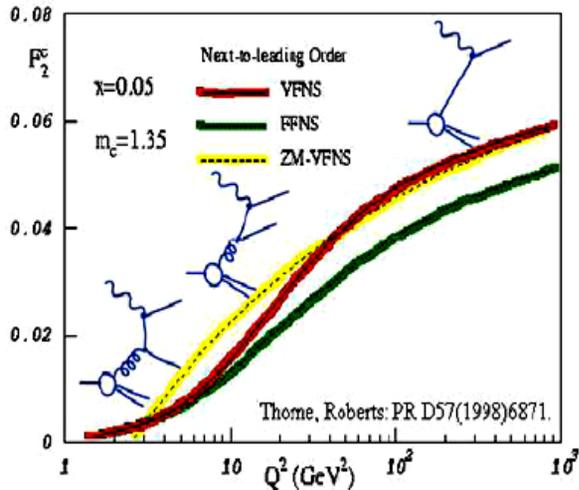


- important consistency check
- improve **statistics + systematics**

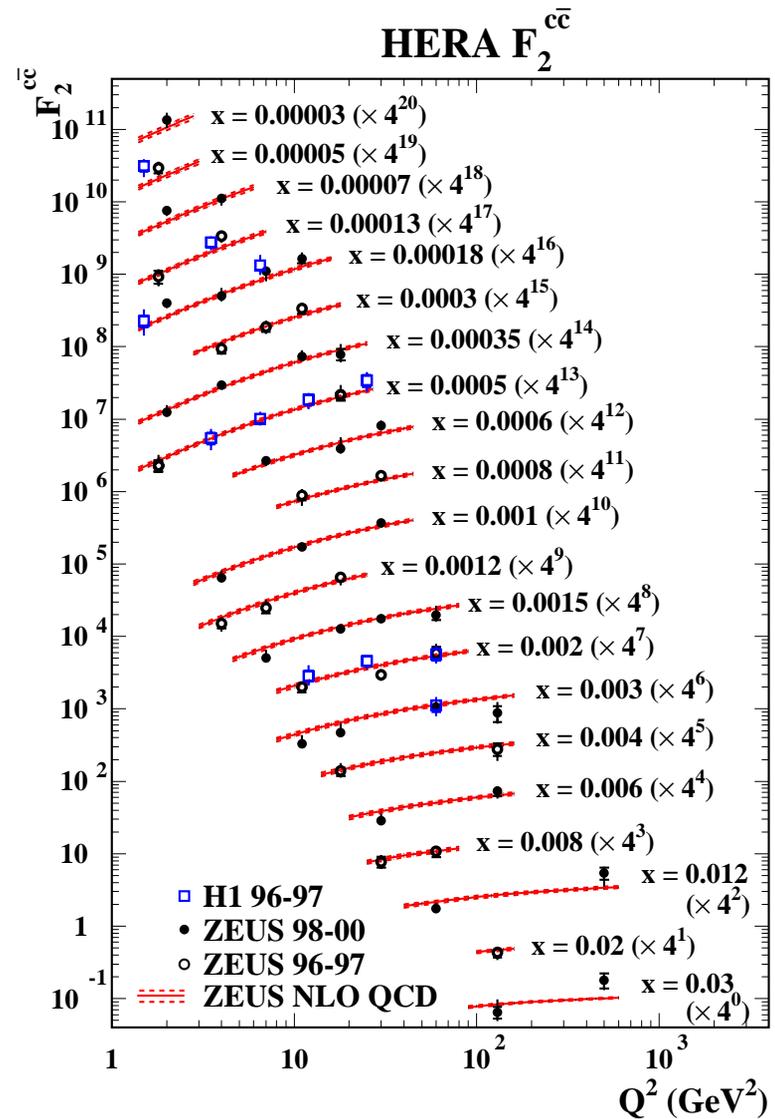


$F_2^c(Q^2)$

do we understand
how to **pass the**
charm threshold in NLO :



match fixed order scheme
at $p_T \leq m_Q$ with massless
NLL resummations (Frixione, ...)





HERA 2 : $F_2^{c\bar{c}}$



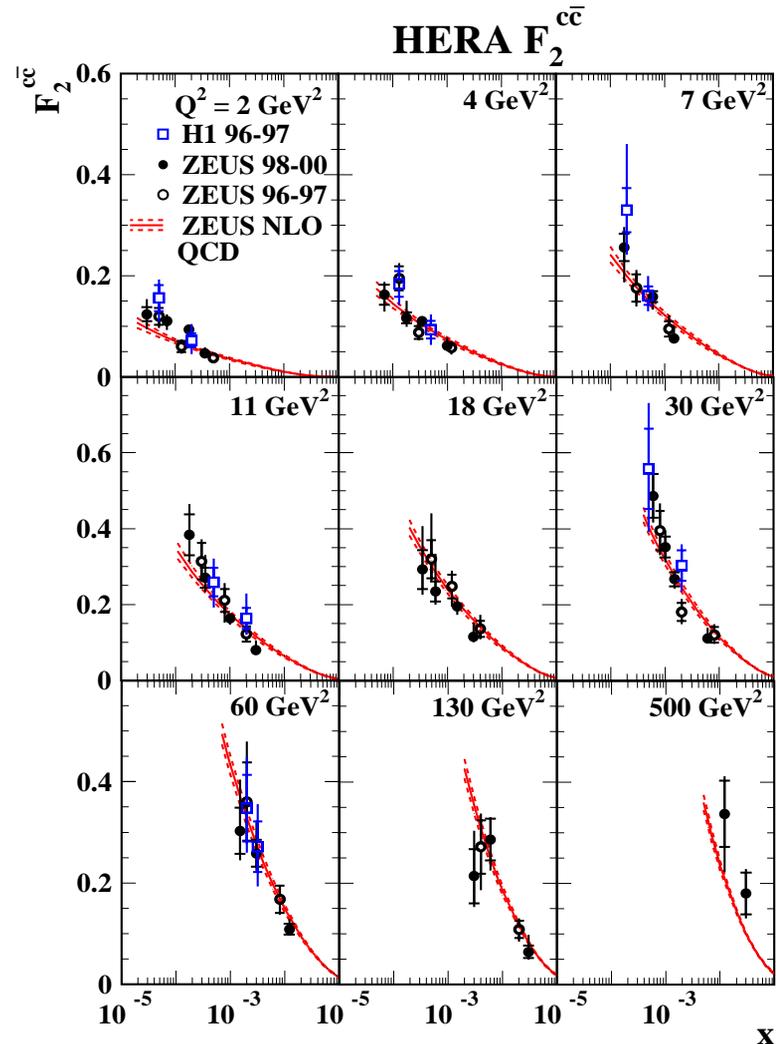
HERA 1 :

- measure in **limited phase space** :
 $1.5 < p_T(D^*) < 15 \text{ GeV}$
 $|\eta(D^*)| < 1.5$

HERA 2 : H1 + ZEUS

new Si detectors +
forward trackers

- **kinematic range extended**
by ± 1 unit in η
- **open new decay channels**
- and more **lumi ...**





HERA 2 : F_2^c

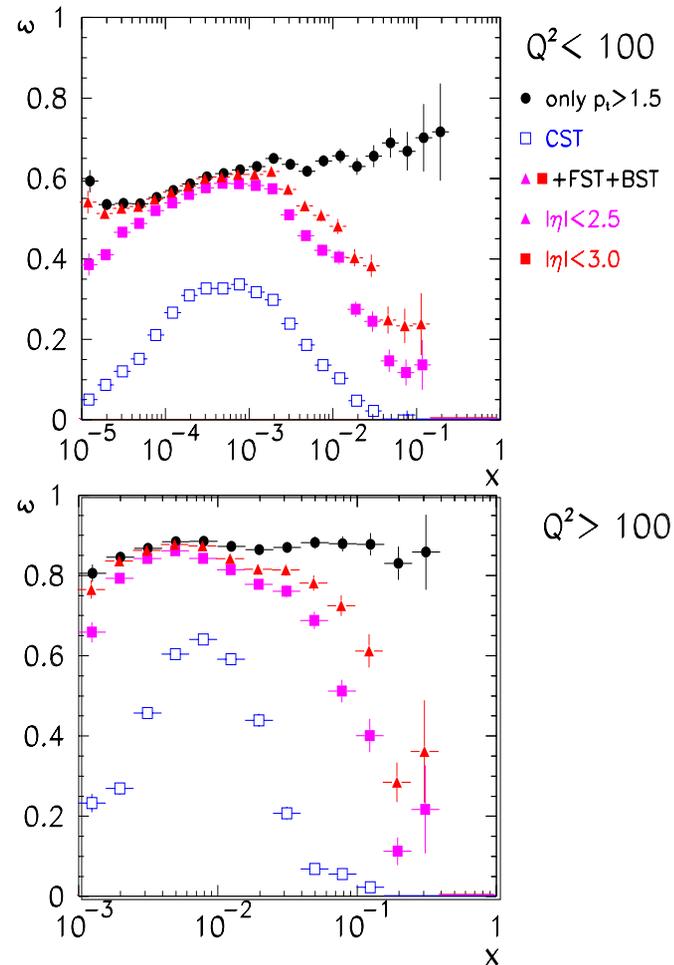


HERA 2 : H1+ZEUS

new Si detectors + forward trackers

- extend kinematic range by ± 1 unit in η :
smaller extrapolation errors
less model dependence
- open new decay channels

Acceptance of Heavy Quarks
Deep Inelastic Scattering



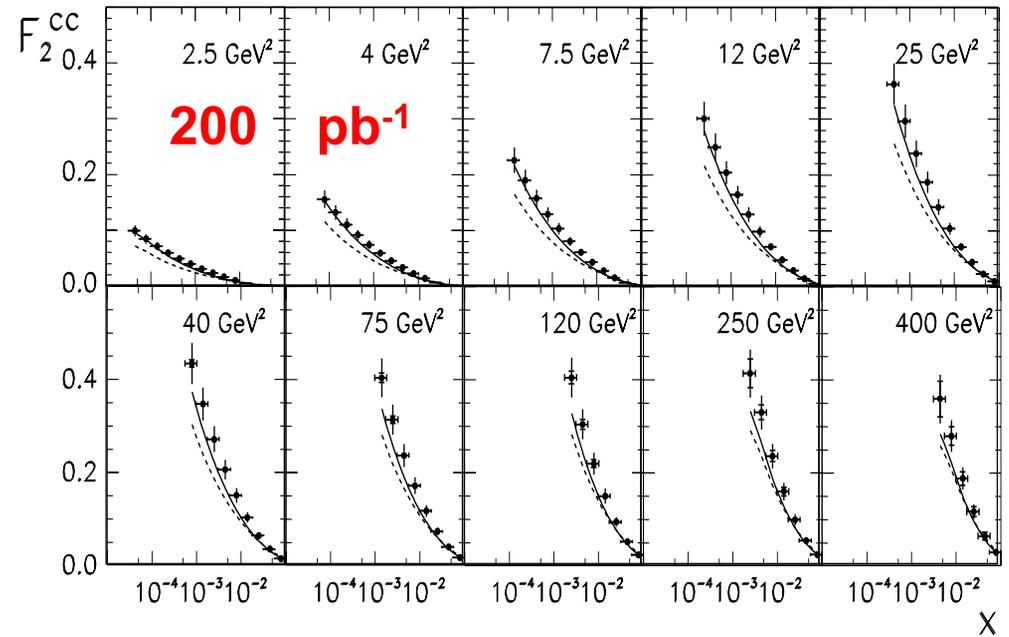
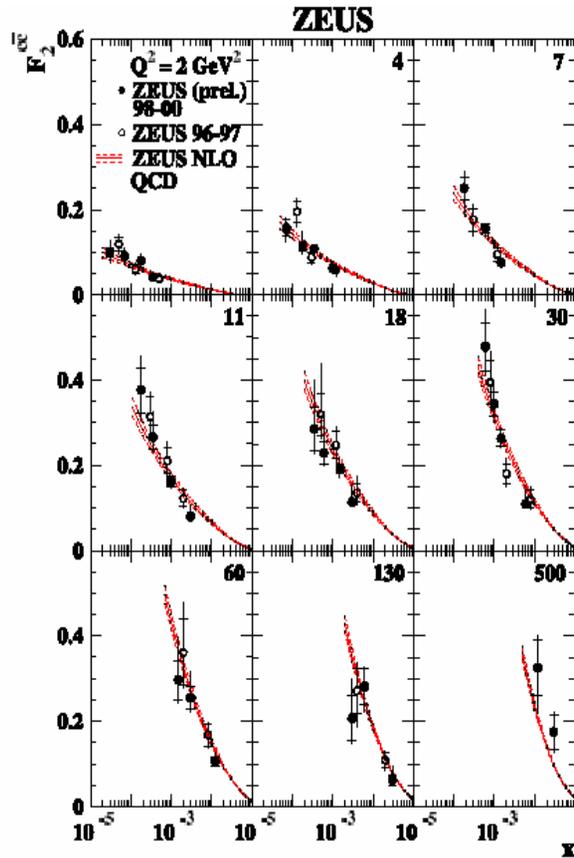


HERA 2 : F_2^c



HERA 1

HERA 2



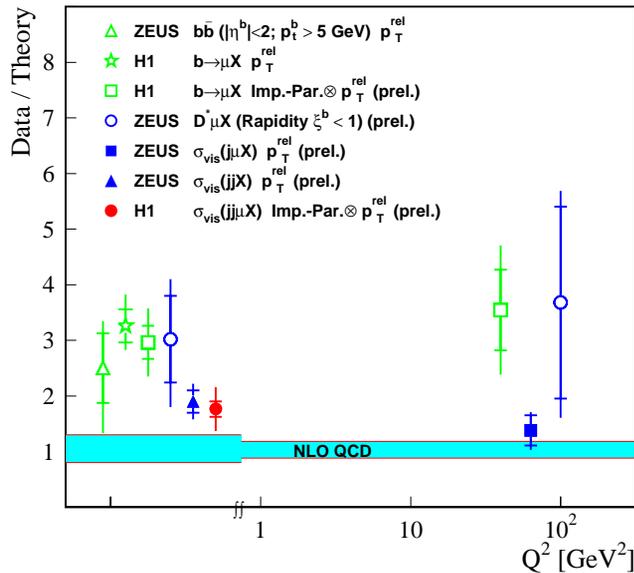
K.Daum, hep-ex/9708009



Beauty cross section



b Cross Sections at HERA

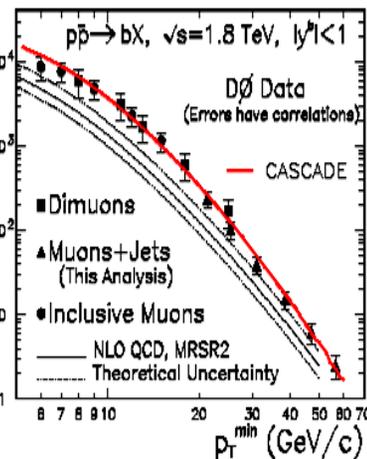
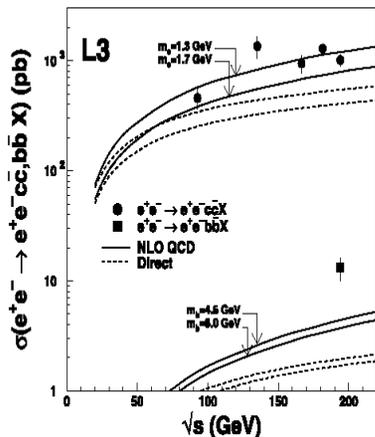


HERA 1 :

- b **excess** seen in all experiments
- c excess also at high pt
- still large errors

HERA 2 :

- high **lumi**
- **vertex** tagging over larger kine. range
smaller extrapolation errors
- **theory**: need full NLO
heavy flavor **Monte Carlo's**
fragmentation treatment

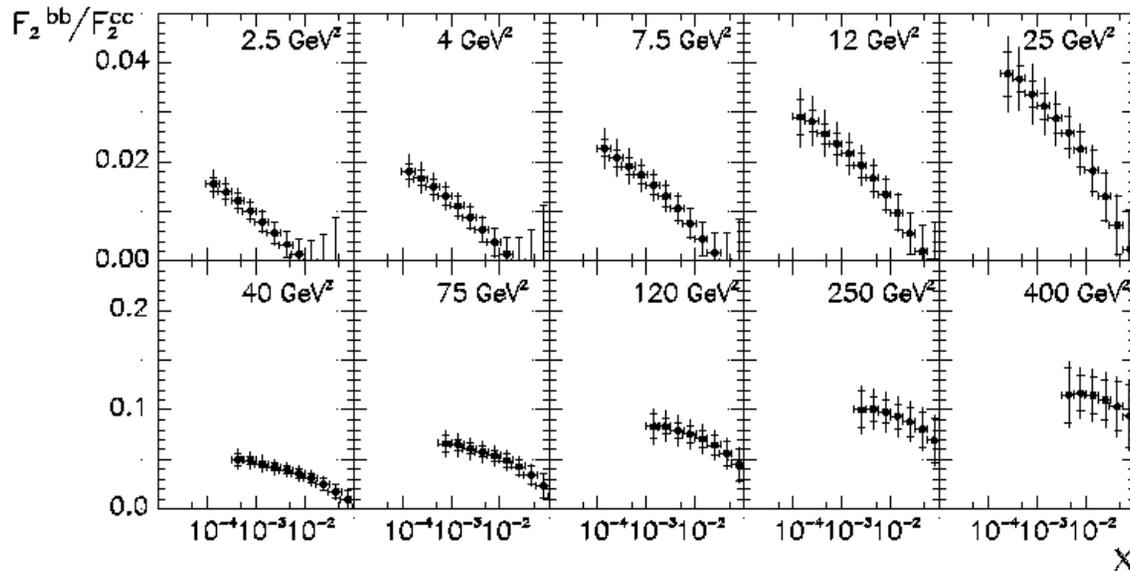




F_2^b / F_2^c



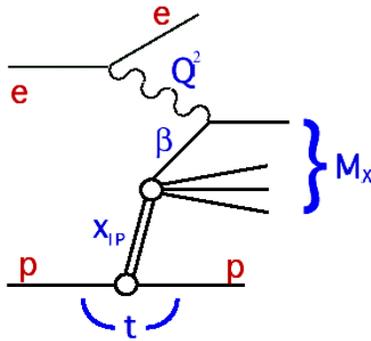
HERA 2 : simulate F_2^b / F_2^c with 500 pb^{-1}



K.Daum, hep-ex/9708009

$b/c \sim 10\%$ at $Q^2 = 400 \text{ GeV}^2$ $b/c \rightarrow 25\%$ at $Q^2 \gg m_b^2$

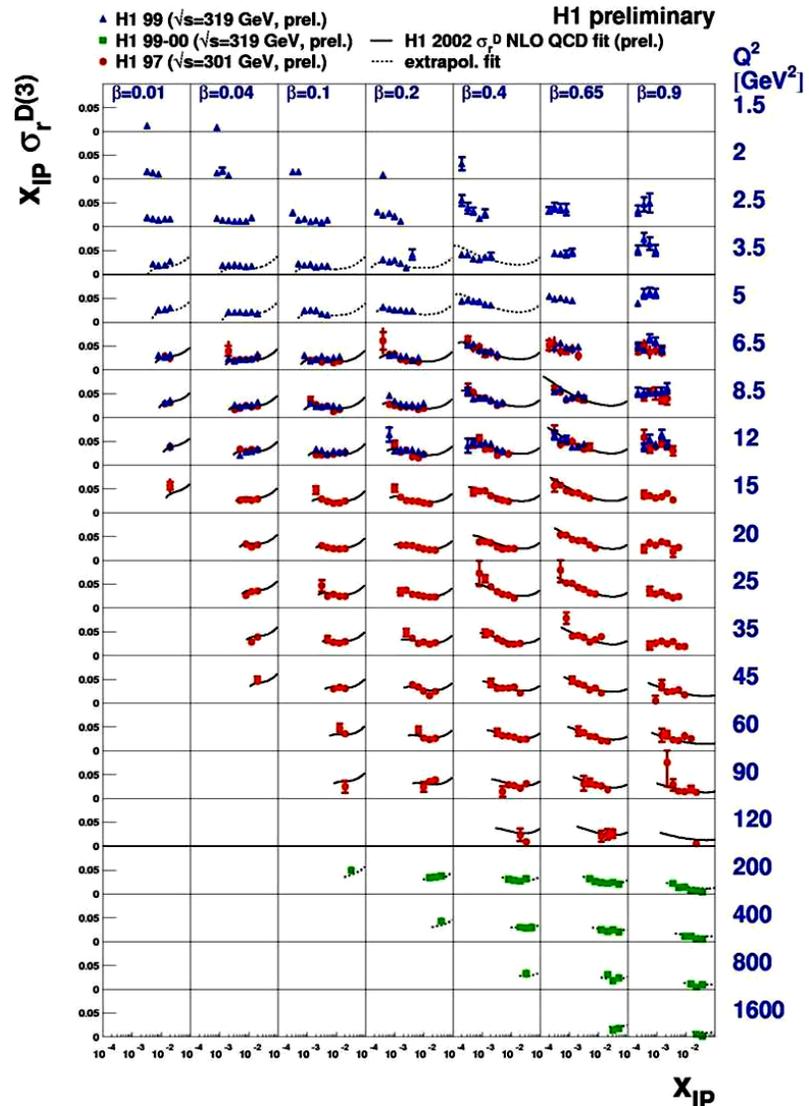
get **parton structure** of diffractive exchange :



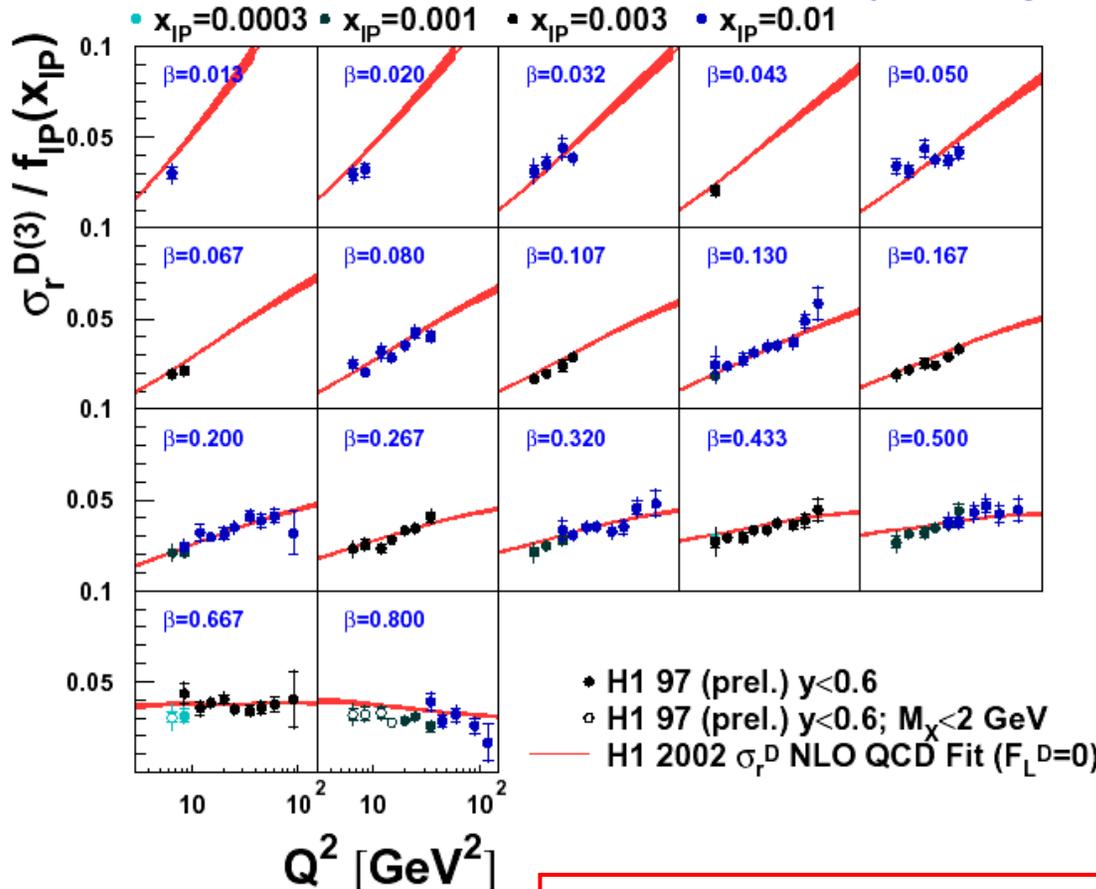
$$F_2^D(t, \beta, x_{IP}, Q^2)$$

$F_2^{D(3)}$ now covers **4 orders** of magnitude in Q^2

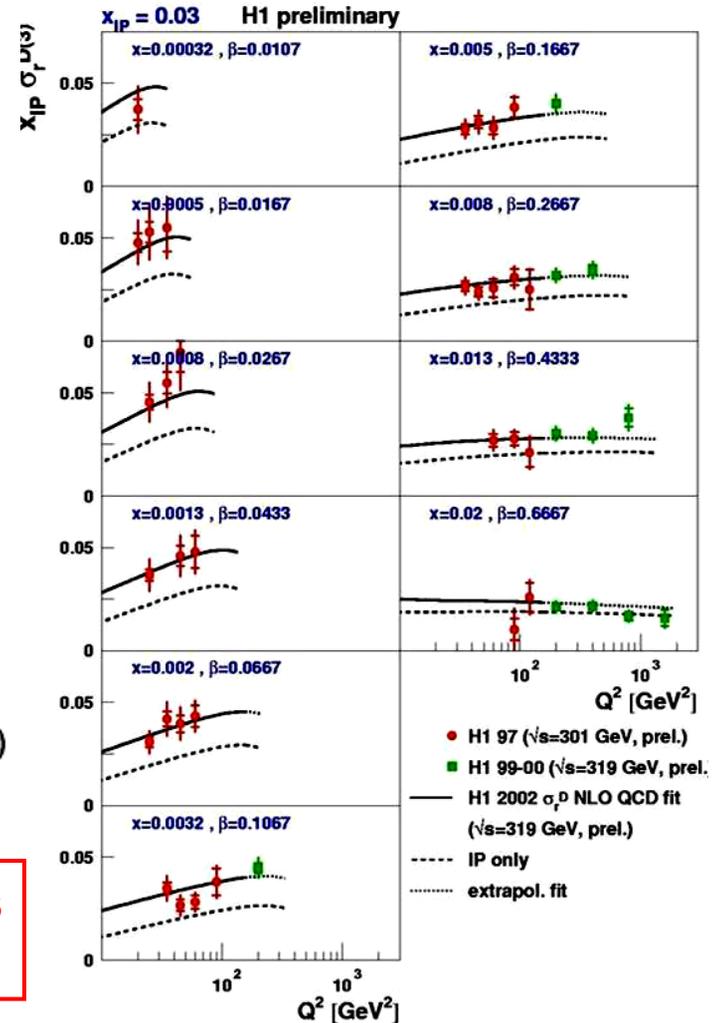
QCD fit for diffractive parton densities describes data well



H1 preliminary



positive scaling violations
up to large β





Diffraction: H1 VFPS

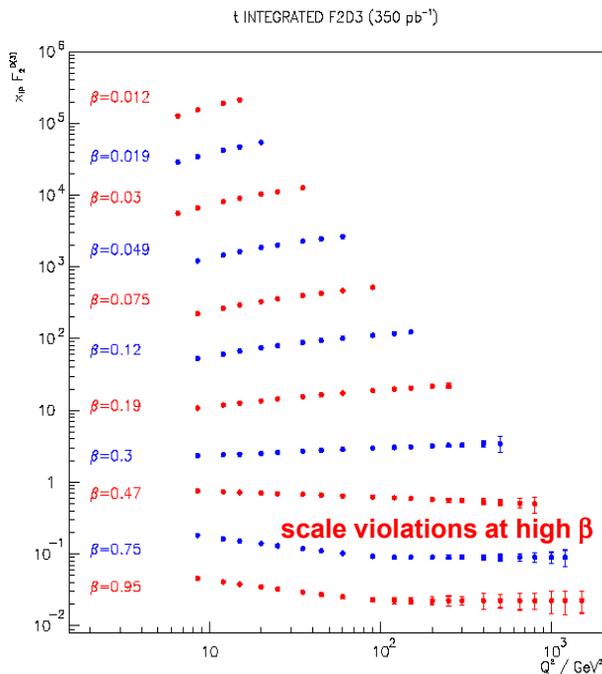


HERA 2

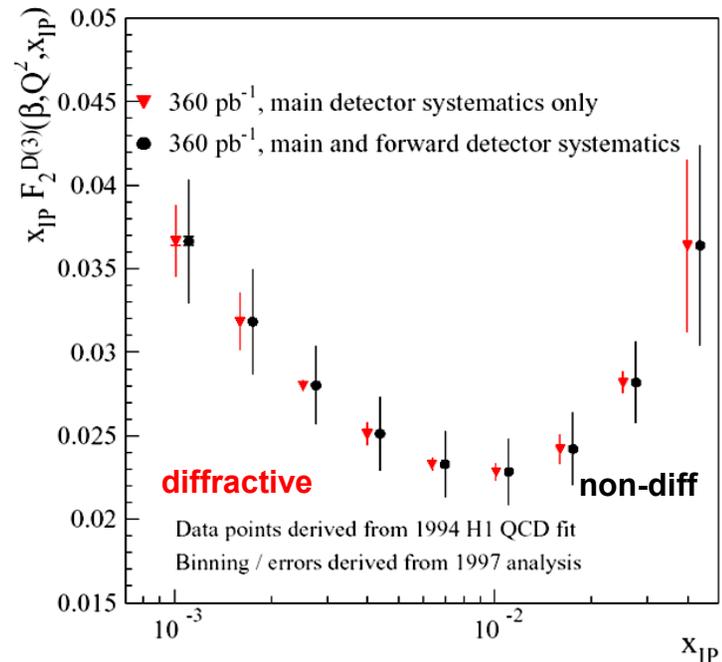
H1 VFPS at z = 220 m

simulation for 350 pb⁻¹

- increase acceptance hor. FPS→VFPS 1%→50%
- σ^D for $x_{IP}=0.017$ integrated over $|t| < 0.8 \text{ GeV}^2$
- measure $x = \beta x_{IP}$ and Q^2 in central detector



$x_{IP} F_2^{D(3)}$ at $Q^2 = 8.5 \text{ GeV}^2$, $\beta=0.2$





Diffraction



- **exclusive final states** **statistics** limited
- get high statistics for all proton **elastics**:

PROCESS	HERA-1 (100 pb ⁻¹)	HERA-2 (1 fb ⁻¹)
Elastic ρ^0 ($Q^2 > 20 \text{ GeV}^2$)	1000	10000
Elastic ϕ ($Q^2 > 20 \text{ GeV}^2$)	125	1250
Elastic J/ψ ($Q^2 > 20 \text{ GeV}^2$)	140	1400
Elastic Υ (all Q^2)	50	500
Diffraction D^* ($Q^2 > 10 \text{ GeV}^2$)	100 (H1)	1000



HERMES



disentangle proton spin :

$$\frac{1}{2} = \frac{1}{2} \underbrace{(\Delta u_v + \Delta d_v + \Delta q_s)}_{J_q} + L_q + \underbrace{(\Delta G + L_g)}_{J_g}$$

HERA 1

$$\frac{\Delta G}{G} = 0.41 \pm 0.18 \pm 0.03$$

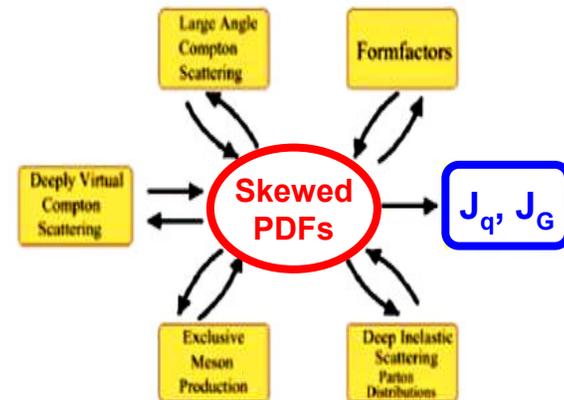
Recoil Detector

build by DESY, Erlangen, Ferrara, Frascati, Gent, Giessen, Glasgow and PNPI

HERA 2 : HERMES recoil

hard exclusive reactions:
VM + pseudo scalars + DVCS

Generalized PDF's
access orbital momentum of quarks





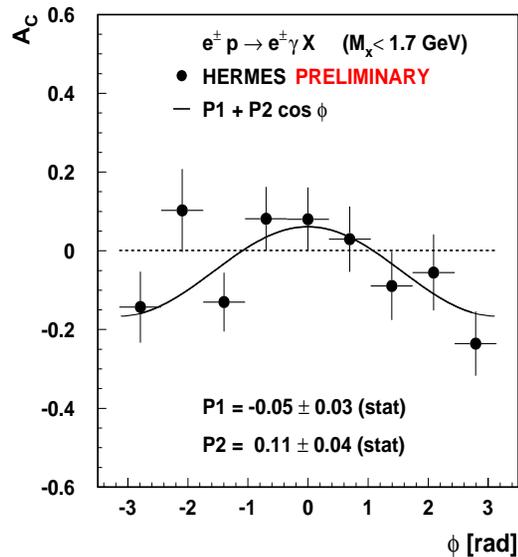
HERMES DVCS



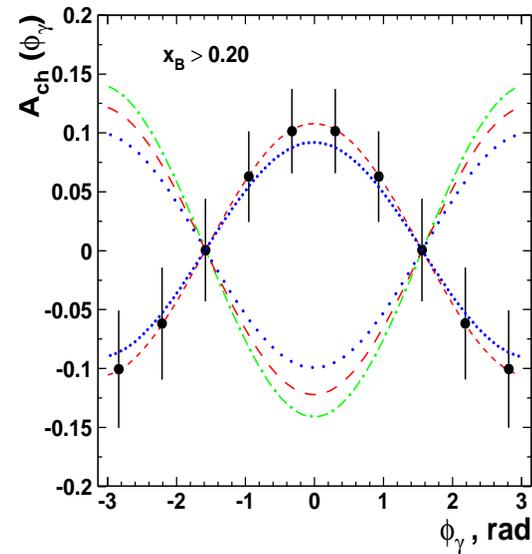
Interference DVCS – Bethe-Heitler $I_{\text{DVCS-BH}}$
Lepton charge asymmetry, unpolarized beam + target

$$A_{\text{ch}} \sim d\sigma(e^+p) - d\sigma(e^-p) \sim \cos(\Phi_{\gamma\gamma}) \times \text{Re } I_{\text{DVCS-BH}}$$

HERA 1



HERA 2 ($x_B > 0.2$)





HERMES transversity



$$e p \uparrow \rightarrow e p \pi X$$

First Result from HERA II

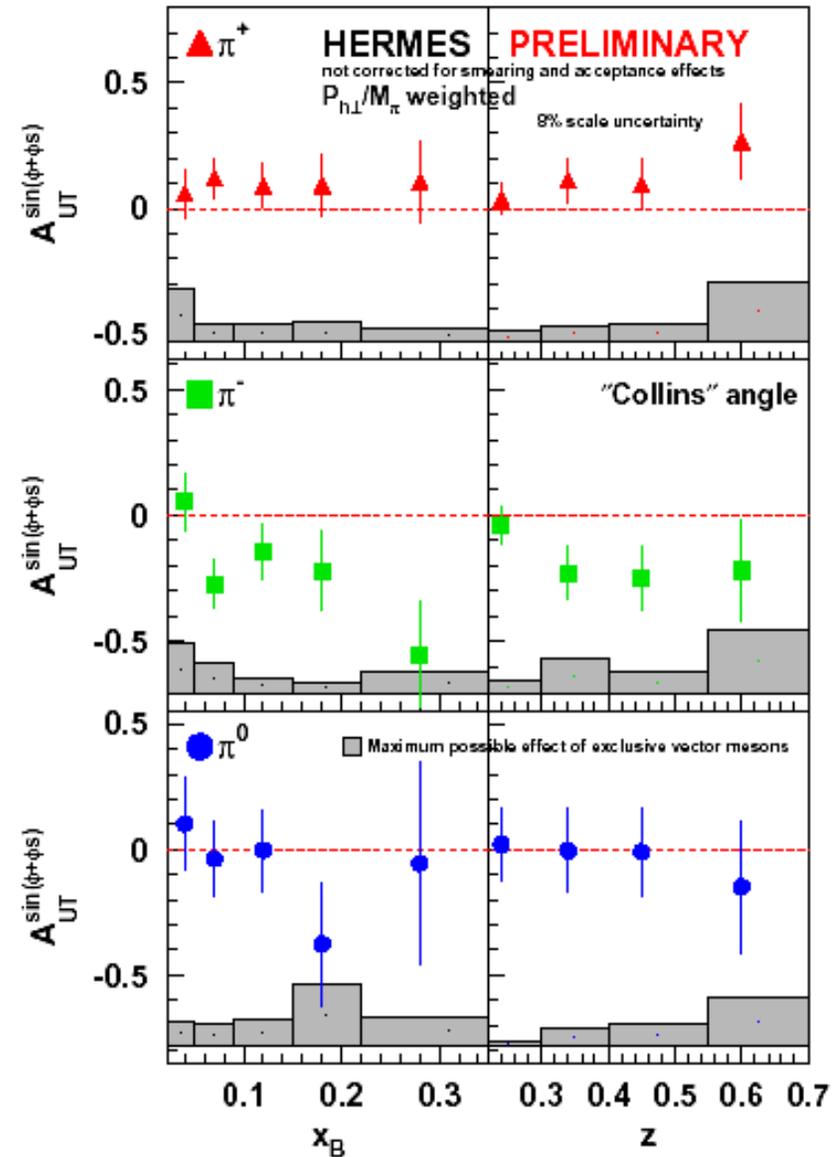
only 1/7 of finally needed statistics

$$\pi^+ : A_{UT}^{\sin \Phi} > 0 \Rightarrow \frac{\delta u}{u} > 0$$

$$\pi^- : A_{UT}^{\sin \Phi} < 0 \Rightarrow \frac{\delta d}{d} < 0$$

BUT

need more statistics to disentangle **Collins Fragmentation** effects from quark polarizations



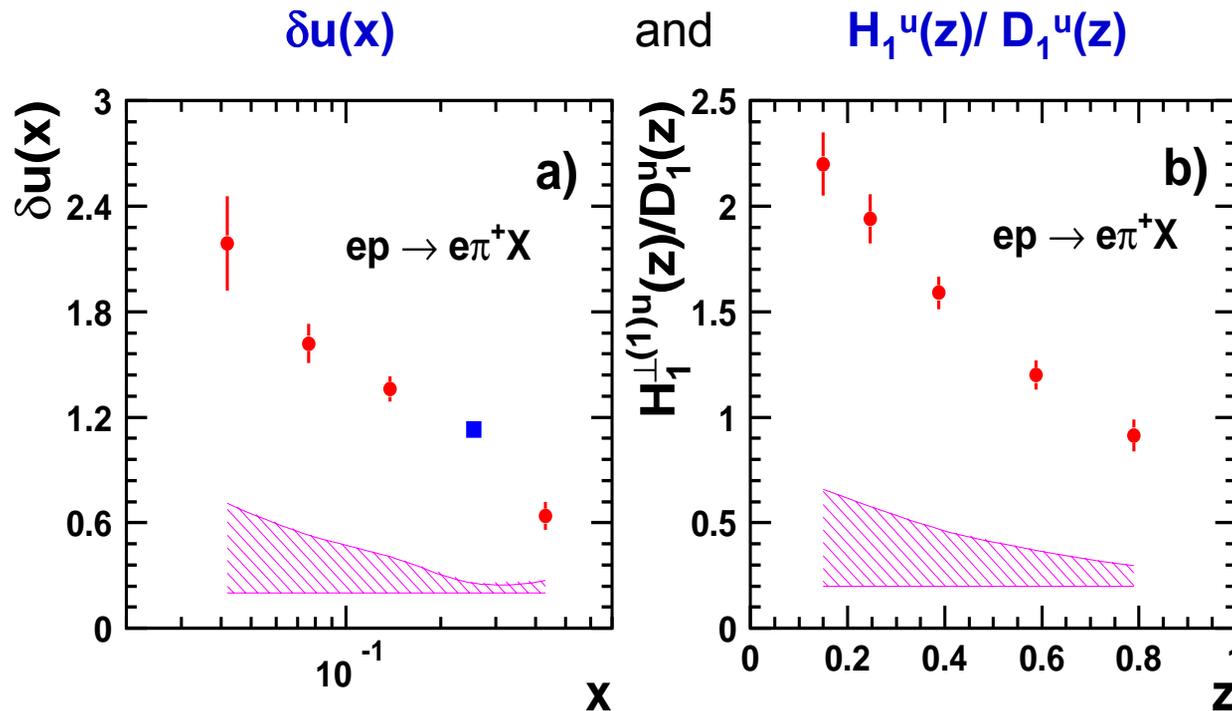


HERMES transversity



transverse spin structure of the nucleon :
last missing piece in the leading spin structure of the nucleon

$e p \uparrow \rightarrow e p X$ Collins fragmentation. Predictions for





Beyond the Standard Model



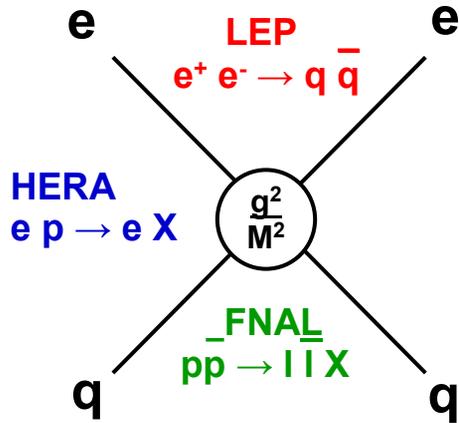
- **contact** interactions
- R_p -violating **SUSY**
- **leptoquarks**
- large extra **dimensions**



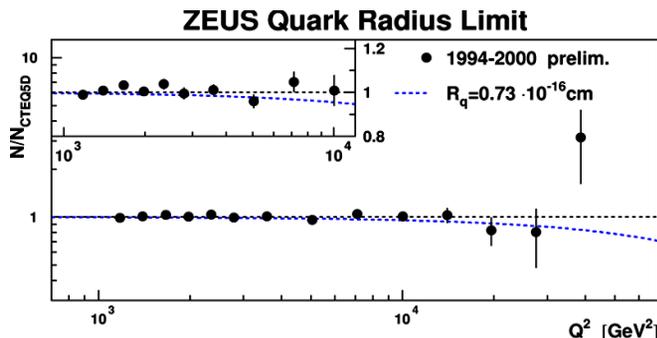
BSM : contact interactions



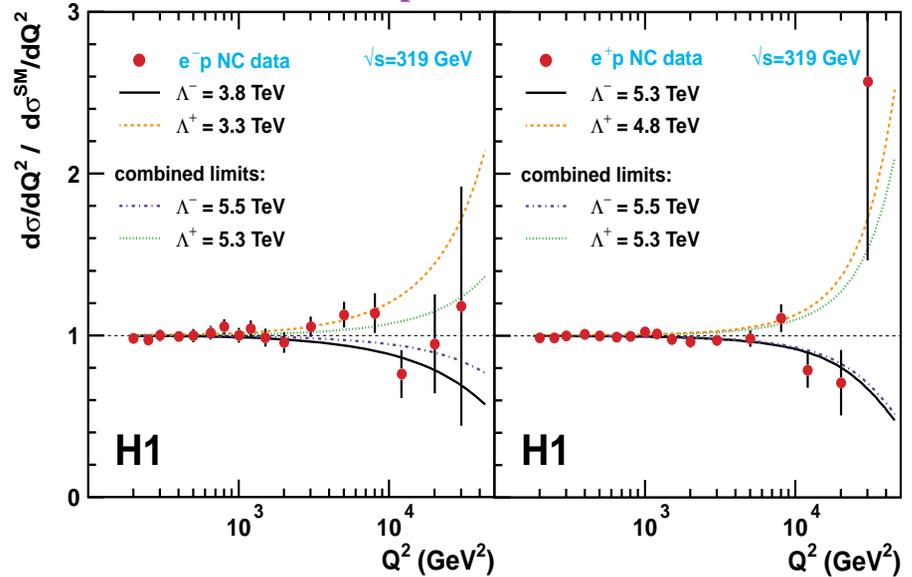
complementarity :



new physics enters
4 fermion contact term



Compositeness: VV



HERA 1 : cross sections agree with
Standard Model up to highest Q^2

quark radius

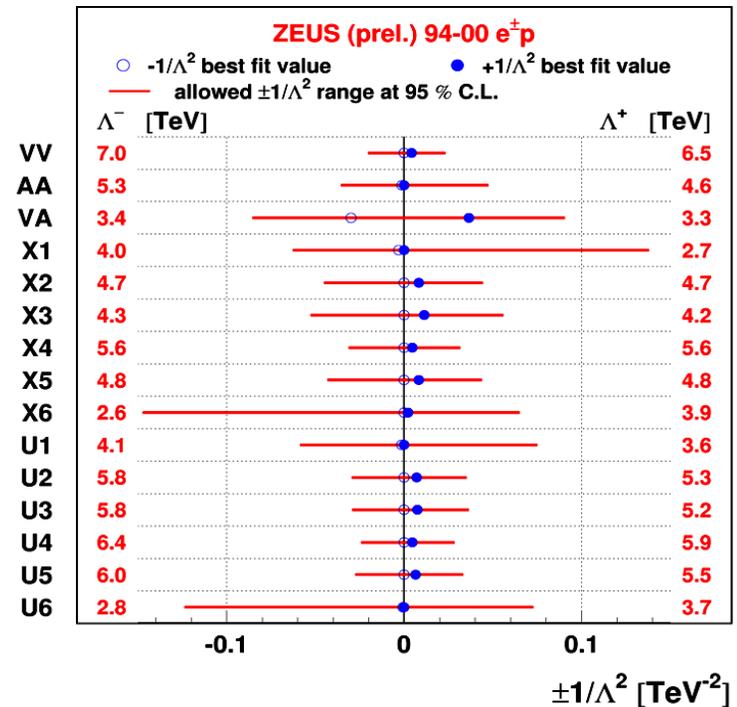
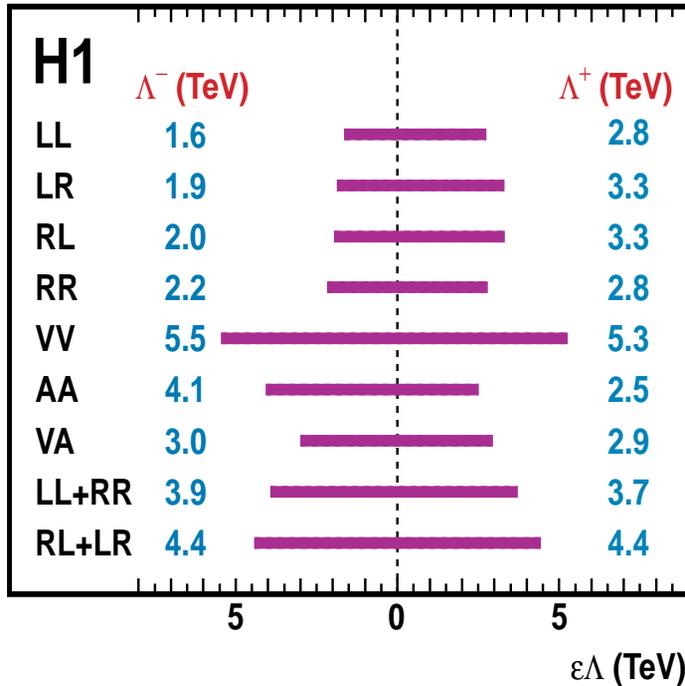
constrained to $R_q < 10^{-18}$ m

HERA 2 : with 500 pb^{-1} 5σ discovery

if deviation data / SM > 1.5



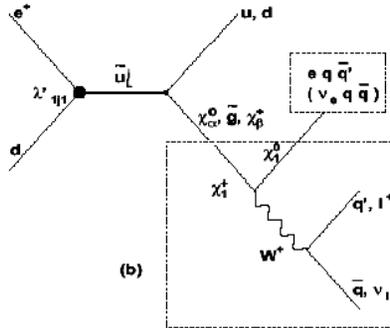
BSM : contact interactions



HERA, LEP, FNAL : all have similar 95% CL limits in the TeV range



BSM : R_p violating SUSY



SUSY-Top

may be lightest squark !

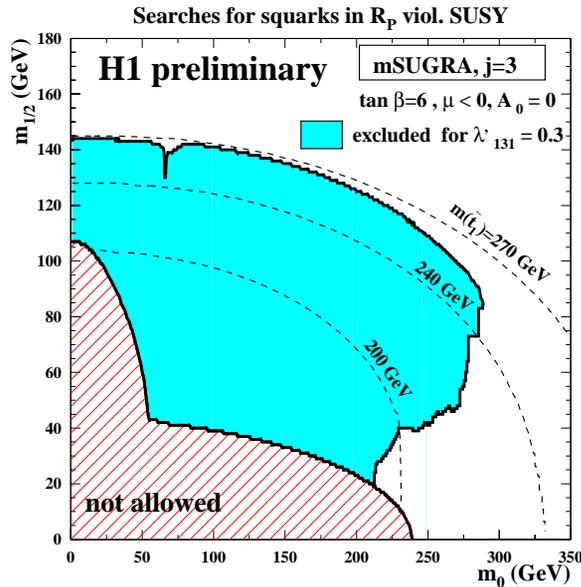
Minimum Supergravity + R_p violation :

sensitivity to R_p violating stop:

HERA 1: ~ 270 GeV

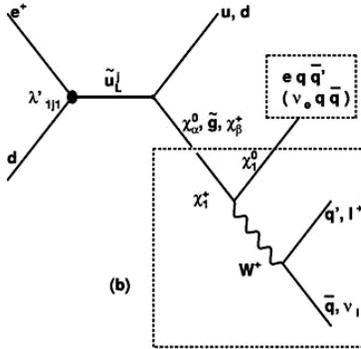
Tevatron Run 2: 200-250 GeV

HERA 2 : discovery potential !





BSM : R_p violating SUSY



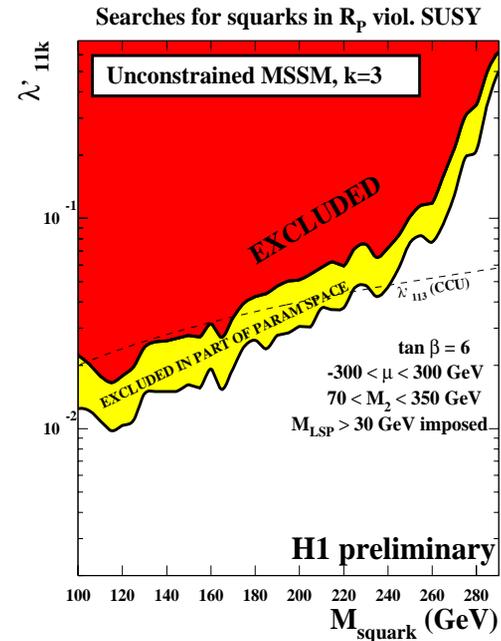
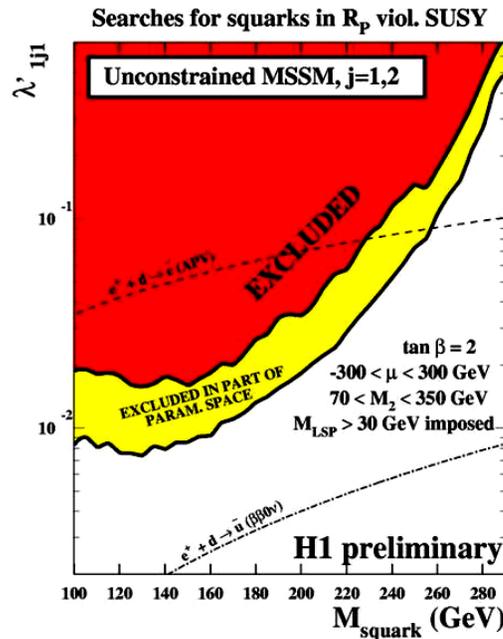
Search for \tilde{q} in R_p Supersymmetry

e.g. $e^+d \rightarrow \tilde{u}_L \dots$

e.g. $e^-u \rightarrow \tilde{d}_R \dots$

Study several leptons + jets channels

No significant deviations from expectations



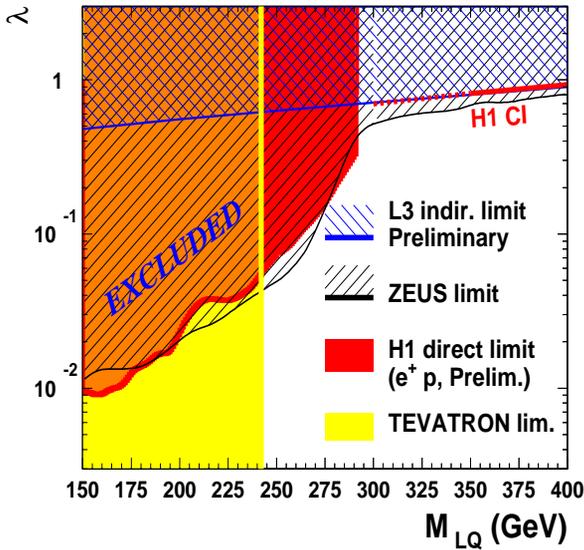
$m_{\tilde{q}} < 275 \text{ GeV}$ excluded in large part of parameter space for λ' of electromagnetic strength



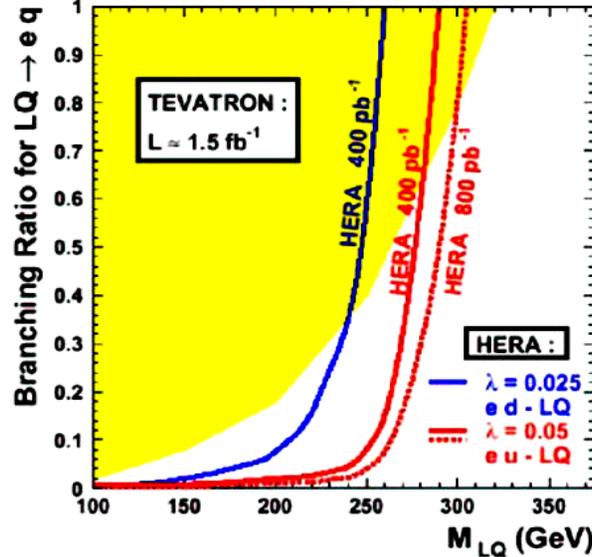
BSM : Leptoquarks



SCALAR LEPTOQUARKS WITH F=0 ($\tilde{S}_{1/2,L}$)



Future Sensitivity on Scalar Leptoquarks



HERA competitive for small branching ratios:

HERA 1 limits compete with LEP and Tevatron Run 1

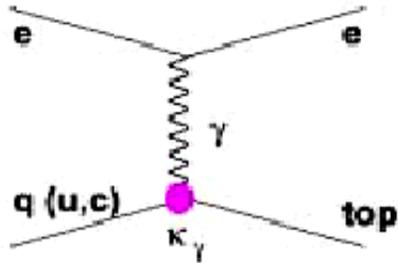
HERA 2 limits compete with Tevatron Run 2

LQ (RPV q)	H1 M_{LQ}	LEP GeV/g
S_0L	710	2150
S_0R	640	1700
\check{S}_0R	330	660
$S_{1/2}L$	850	590
$S_{1/2}R$	370	770
$\check{S}_{1/2}L$	430	-
S_1L	490	1190
V_0L	730	3030
V_0R	580	540
$V_{\sim 0}R$	990	1610
$V_{1/2}L$	420	1000
$V_{1/2}R$	950	750
$V_{\sim 1/2}L$	1020	580
V_1L	1360	2170

A.Zarnecki, EPS 2003, Aachen



BSM : anomalous couplings

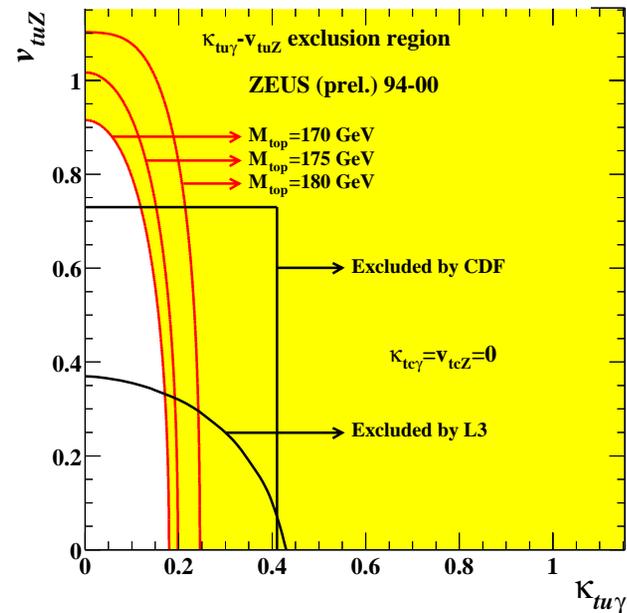


Flavor Changing Neutral Currents:

single top production

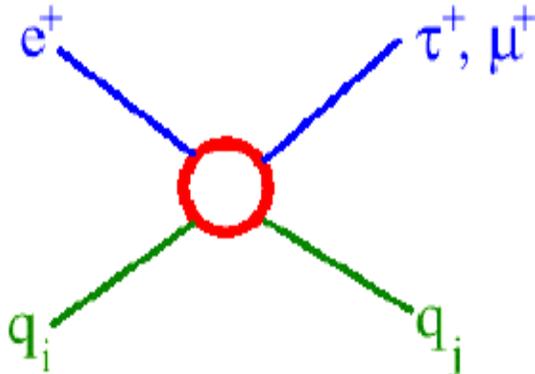
HERA has exclusion potential !

Limit on anomalous top coupling



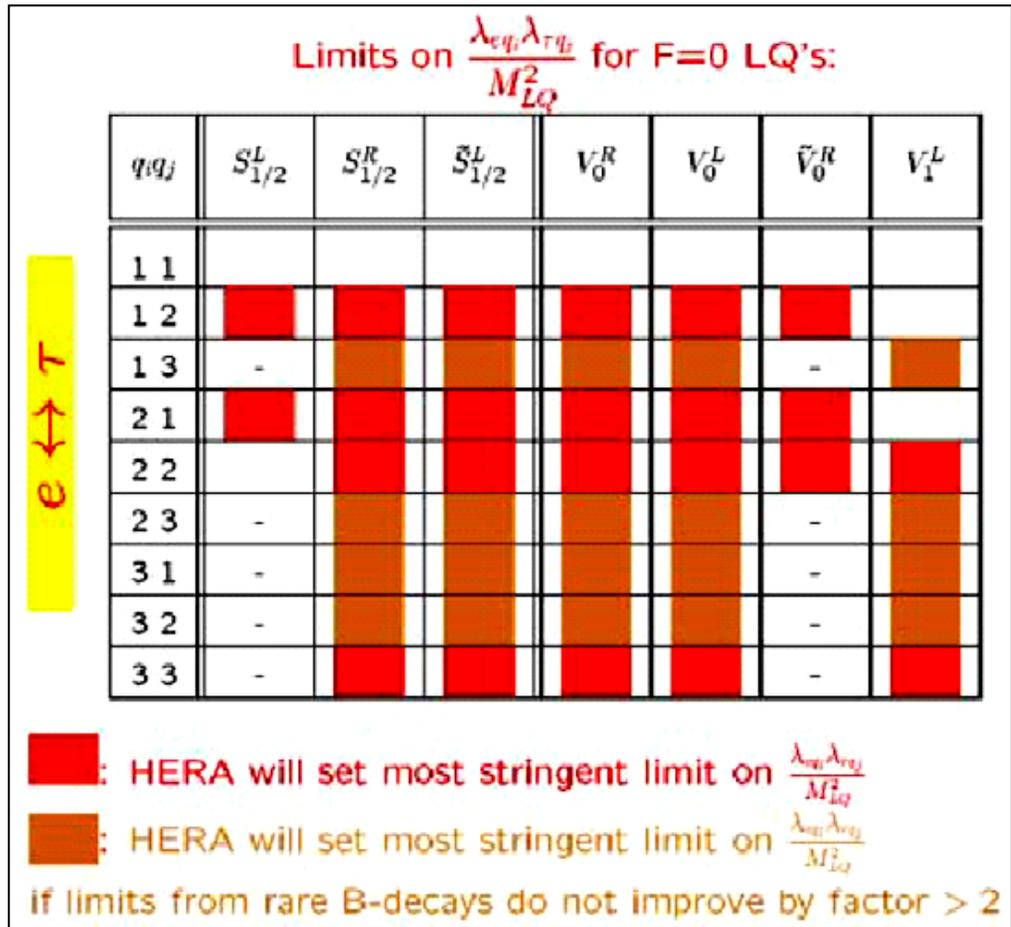


BSM : Lepton flavor violation



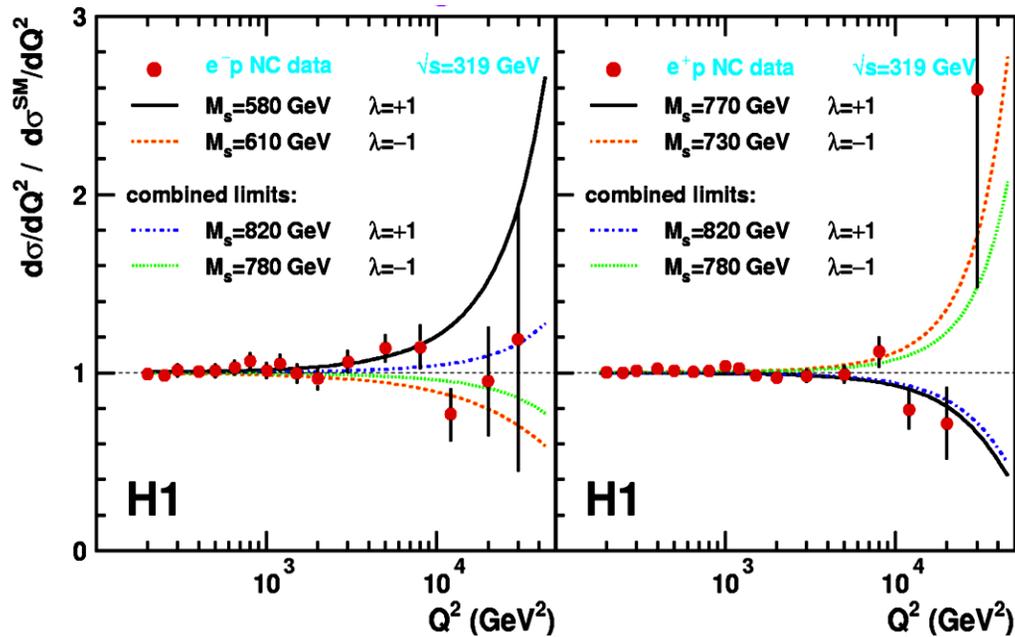
HERA 2 :

high discovery potential
in many channels :





Extra Dimensions



TeV	M_s^-	M_s^+
LEP (Hewett)	1.2	1.
H1 (GRW)	0.780	0.820
D0 Run I+II	1.37	
HERA 2	~ 1	



BSM : Search Strategy



model	beam charge	best polarization	
		left	right
right handed currents (CC)	e^-	-	$e_R^- \rightarrow \nu_R$ (W_R)
SUSY R_P Violating	e^+		$e_R^+ \rightarrow \tilde{u}_L, \tilde{c}_L, \tilde{t}_L$
	e^-	$e_L^- \rightarrow \tilde{d}_R, \tilde{s}_R, \tilde{b}_R$	
anomalous top	e^\pm	$t_{L,R}$	

$F = 0$	e^+	$S_{1/2}, V_0$	
Leptoquarks		$e_L^+ \rightarrow \tilde{V}_0^R$	$e_R^+ \rightarrow \tilde{V}_1^L$ $e_R^+ \rightarrow \tilde{S}_{1/2}^L$
$F = 2$	e^-	$S_0, V_{1/2}$	
Leptoquarks		$e_L^- \rightarrow S_1^L$ $e_L^- \rightarrow \tilde{V}_{1/2}^L$	$e_R^- \rightarrow \tilde{S}_0^R$
Contact Interaction	e^\pm	various	
Quark Radius	e^\pm	any	
Large Extra Dimens.	e^\pm	any	
Excited Fermions	e^\pm	$e_L^- \rightarrow f_R^*$	$e_R^+ \rightarrow f_L^*$
Excited Neutrinos	e^-	$e_L^- \rightarrow \nu_R^*$	

HERA2 :

Polarization + Lumi

will help to sharpen limits

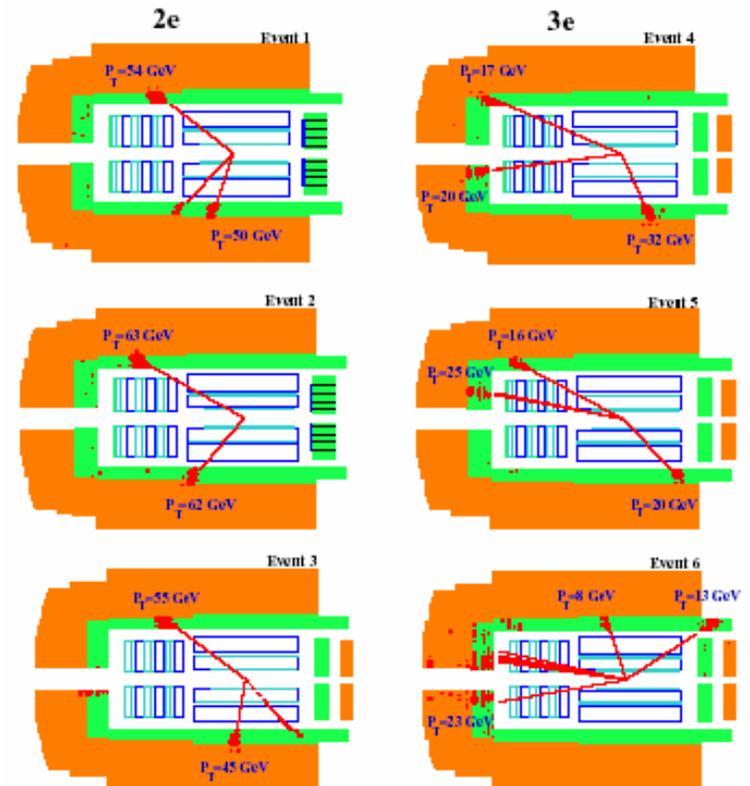
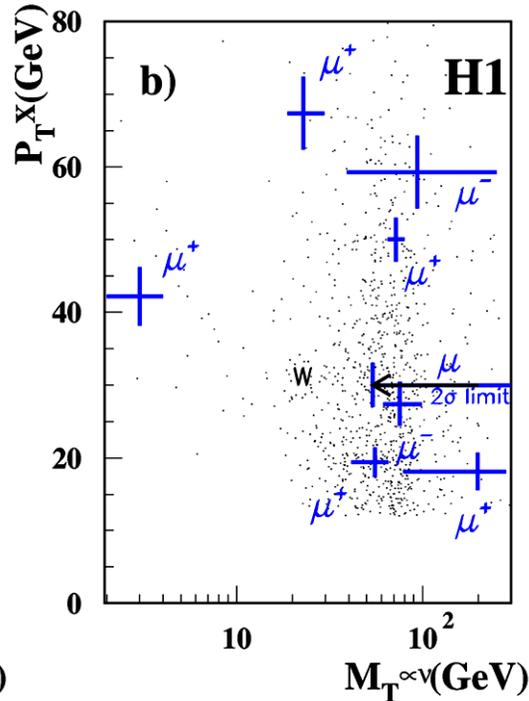
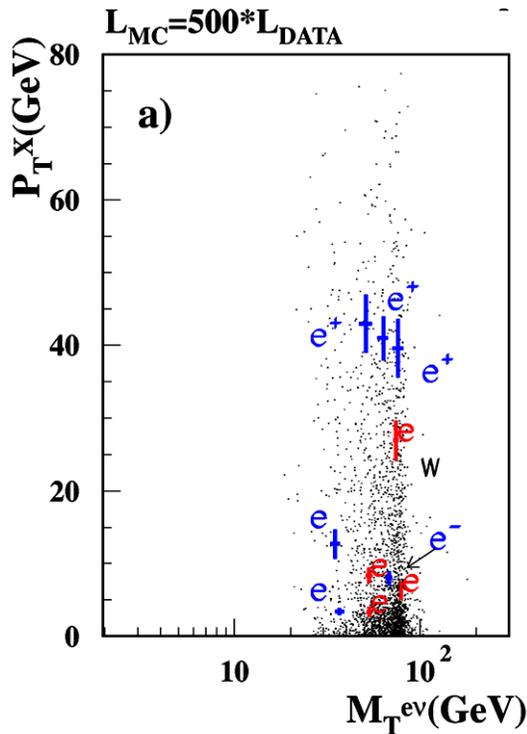
Use maximum possible energy



HERA 2 : Discoveries



HERA 1 100 pb⁻¹ e⁺: **H1** 10 high p_t multileptons for 3 expected
HERA 2 1000 pb⁻¹ ?





HERA 2 Summary



HERA 2: take up to 1 fb^{-1} with e^\pm and $\pm\lambda$ till 2007

high precision NC and CC data up to highest possible x and Q^2

- measure $F_2(x, Q^2)$, $xF_3(x, Q^2)$, $\sigma_{CC}^\pm(x, Q^2)$, ...
- disentangle flavor content of proton
- further **constrain PDFs**
- **gluon:** $\delta g / g < 3\%$ at $x \sim 10^{-2}$
- get α_s to $< 2\%$
- understand **heavy flavor** production
- **directly measure $F_L(x, Q^2)$ to test QCD**
with $\sim 10 \text{ pb}^{-1}$ at 3-4 proton energies
- need **theory:** NNLO !
- **Look beyond the standard model**
for :
 - leptoquarks
 - SUSY
 - contact interactions
 - single top production
 - excited fermions
 - extra dimensions
 - ...
 - **the unexpected !**



HERA 2 Temple



in Paestum, Italy



before

and

after



UPGRADE

