

# ILC Beam Energy Monitoring by Synchrotron Radiation

K.Hiller, Dubna, May 2006

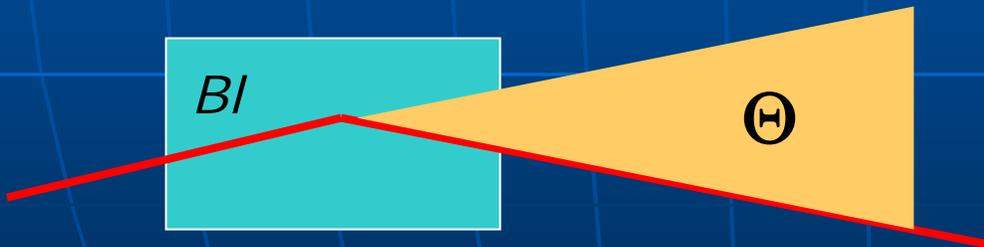
- Principle
- Synchrotron Radiation
- GEANT3 Simulation Results
- Detectors
- Radiation Damage
- Heat Load
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# Principle

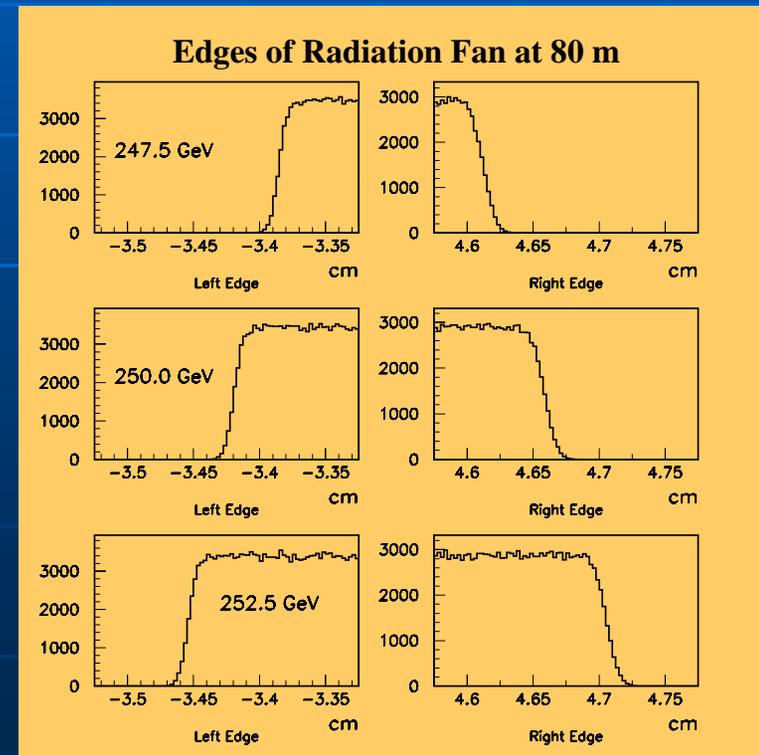
- 1) Beam energy is indirect proportional to the bending angle

$$E = 0.3Bl / \Theta$$

- 2) Edges of the synchrotron radiation fan measure the bending angle

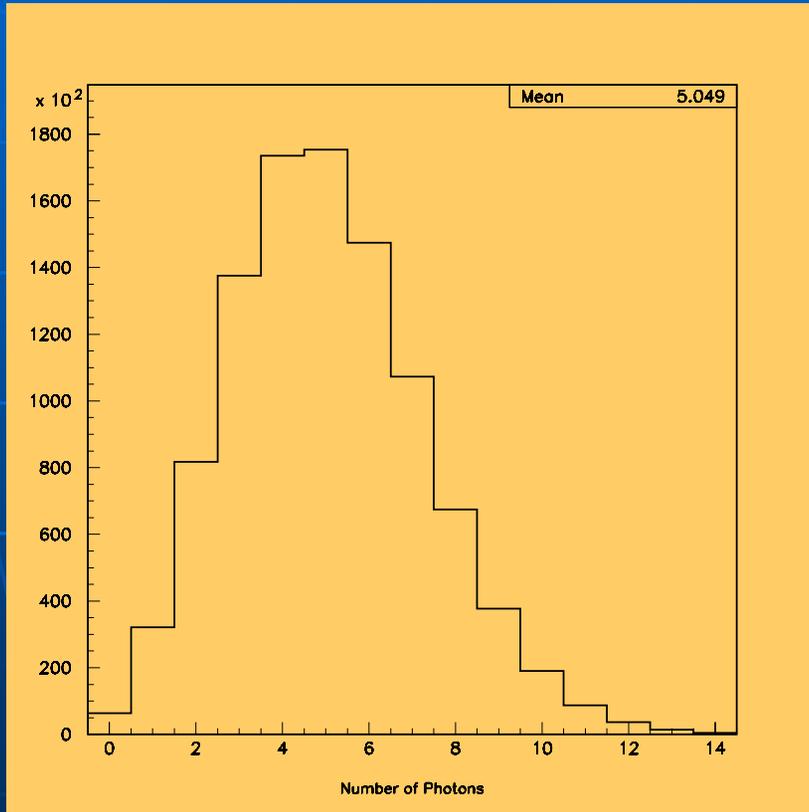


Example:  
 $E = 250, \pm 2.5 \text{ GeV}$

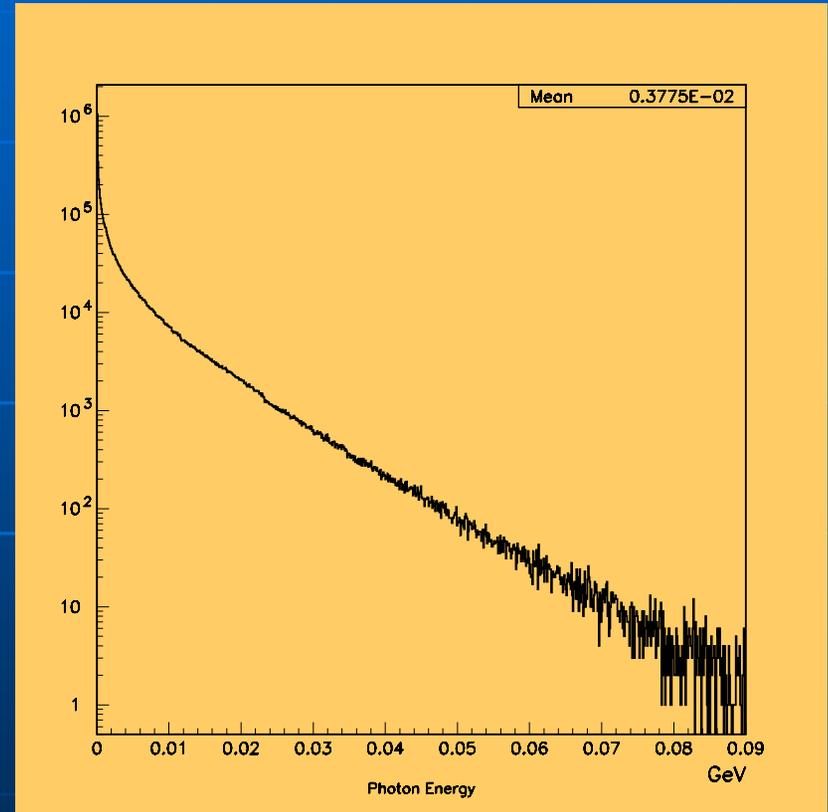


# Synchrotron Radiation at ILC

$e^+/e^-$  250 GeV, magnet  $B = 0.28$  T,  $L = 3$  m,  $\Theta = 1$  mrad



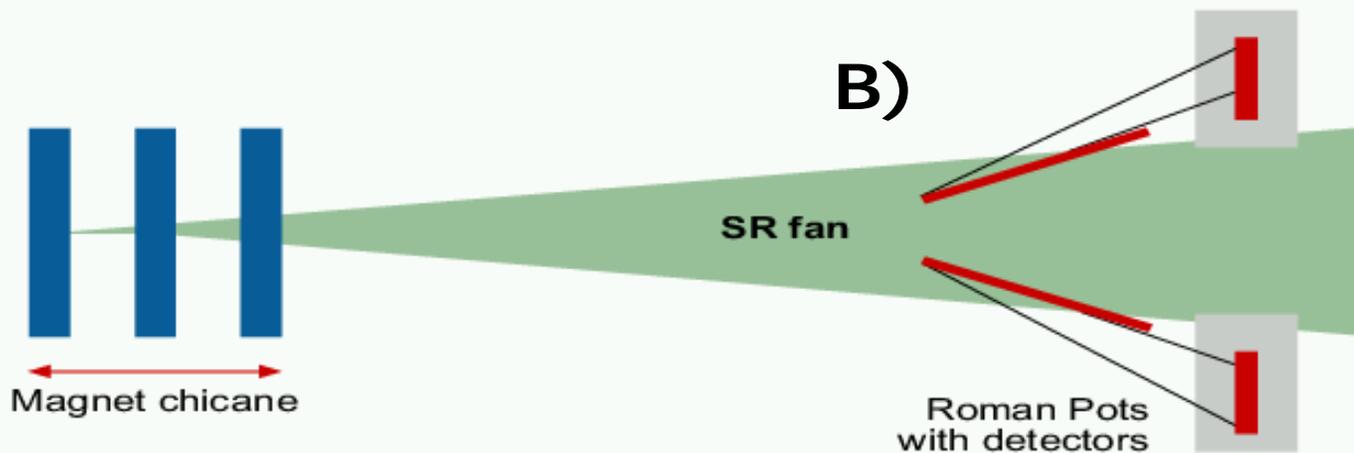
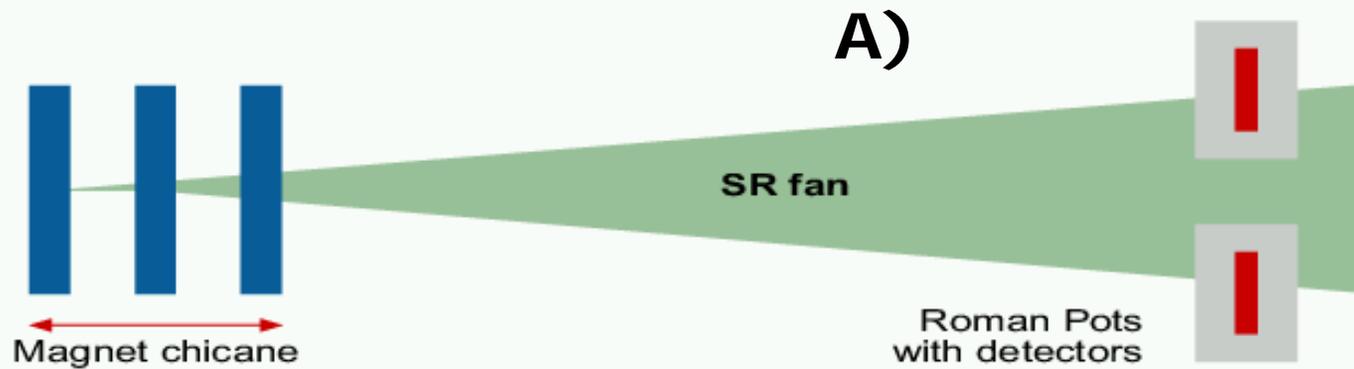
Mean Photons per  $e^+/e^- \sim 5$



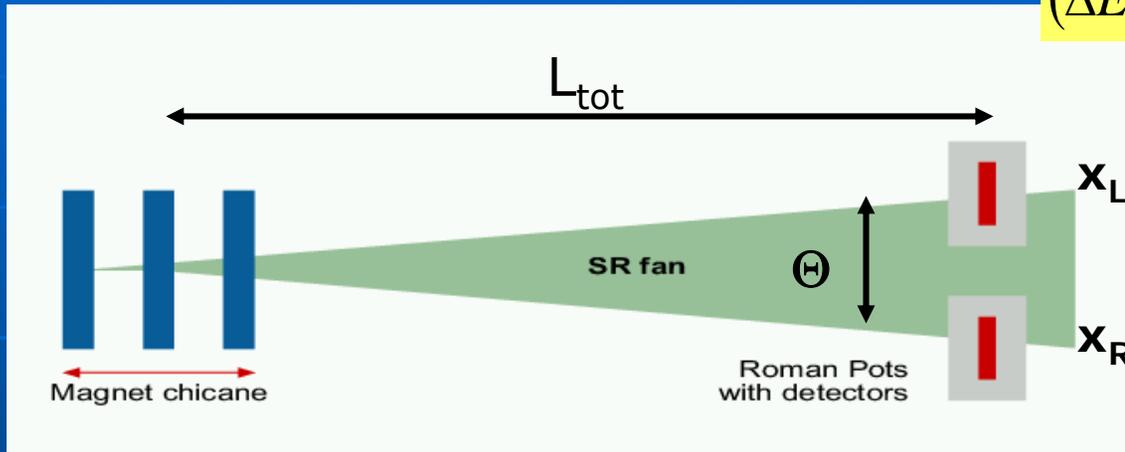
Mean photon energy  $\sim 3.7$  MeV

# Two Measurement Schemes

- A) Direct edge measurement
- B) Mirrored edge measurement



# Energy Resolution – Direct Scheme



$$\left(\frac{\Delta E}{E}\right) = \sqrt{\left(\frac{\Delta B l}{B l}\right)^2 + \left(\frac{\Delta \Theta}{\Theta}\right)^2}$$

Ignoring  $\Delta B l \sim \Delta L \sim 0$ :

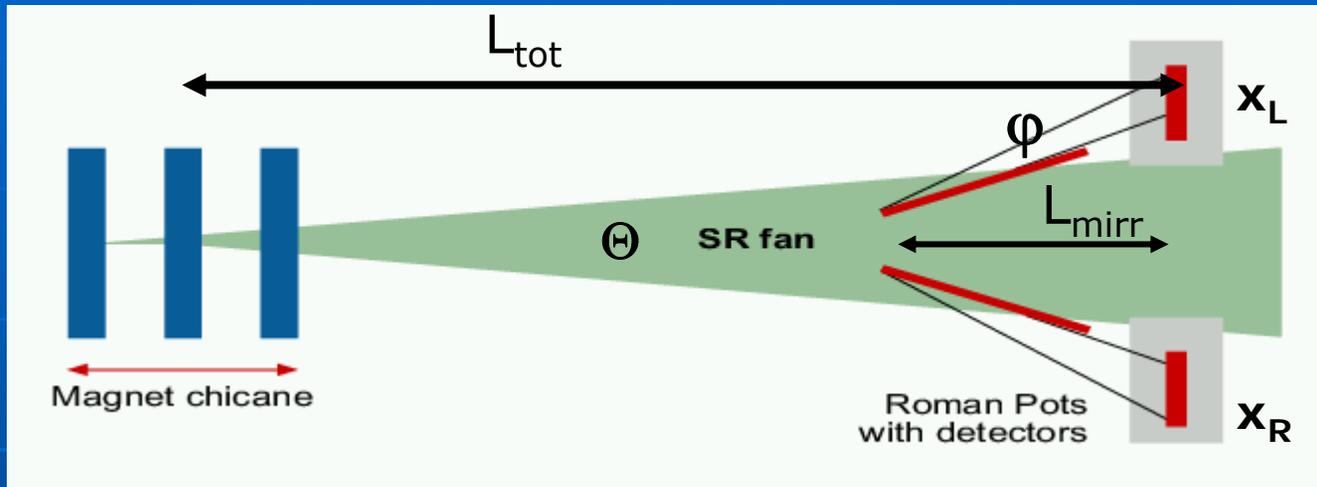
$$\begin{aligned} \frac{\Delta E}{E} &= \frac{\Delta \Theta}{\Theta} \\ &= \frac{2\Delta x}{x_L + x_R} \\ &= \frac{2\Delta x}{\Theta L_{tot}} \end{aligned}$$

For  $L_{tot} = 80\text{m}$ ,  $\Theta = 1\text{mrad}$  :  
 $\rightarrow (x_L + x_R) = 80\text{ mm}$

$\Delta x / \mu\text{m}$	$\Delta E/E / 10^{-4}$
10	2.5
4	1.0
2	0.5

For the goal of  $\Delta E/E = 0.5 \cdot 10^{-4}$   
 one needs  $\sim 2 \mu\text{m}$  spatial resolution

# Energy Resolution with Mirrors



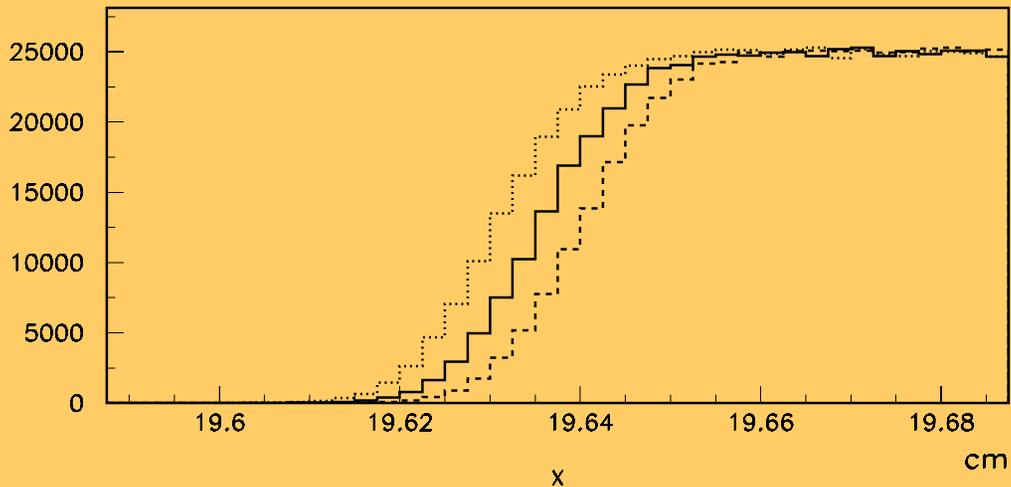
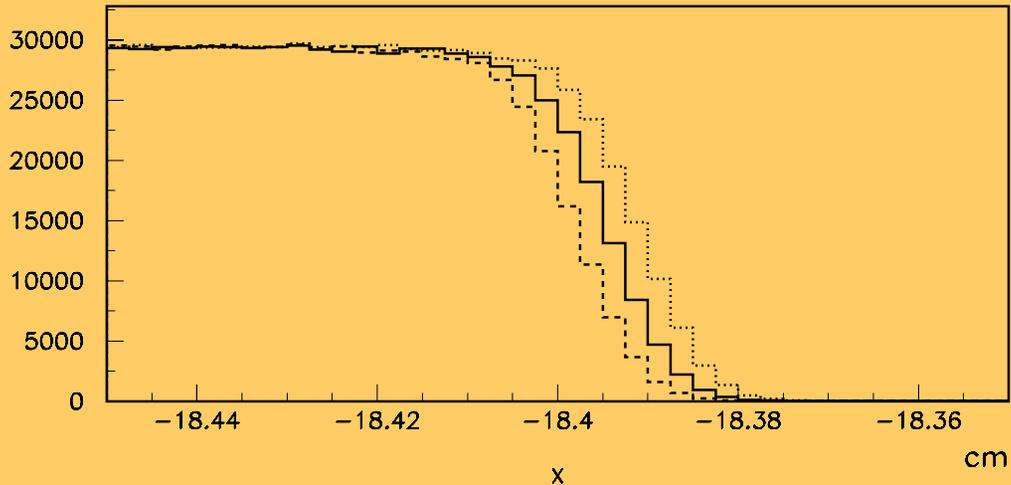
Angular difference  
 $\beta = \phi - \Theta/2$

~~$$\Delta E/E = \sqrt{\frac{(2\Delta x)^2}{(x_L + x_R - 4L_{\text{mirr}}\beta)^2} + \frac{(4L_{\text{mirr}}\Delta\beta)^2}{(x_L + x_R - 4L_{\text{mirr}}\beta)^2}}$$~~

- 1) The mirror angular dispersion  $\Delta\beta$  enlarges  $\Delta E/E$
- 2) For  $\beta \rightarrow 0$  the energy resolution is identical with direct scheme
- 3) Since  $(x_L + x_R - 4L_{\text{mirr}}\beta) = L_{\text{tot}} \Theta$  :  
 $\rightarrow \Delta E/E$  is for any  $\beta$  the same in both schemes  
 $\rightarrow L_{\text{mirr}}$  has no influence on  $\Delta E/E$

# What is visible at 80 m ?

250 GeV +/- 250 MeV, Mirror 3mrad



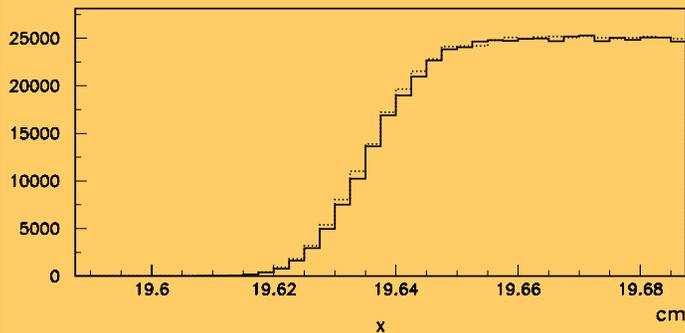
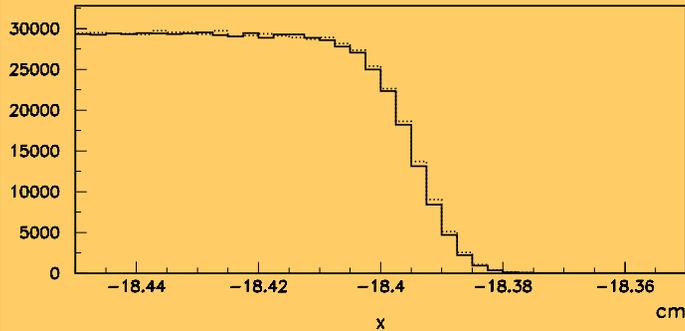
Mirrors:  $\varphi = 3\text{mrad}$   
No dispersion  $\Delta\beta = 0$

“Silicon-Detector”  
Pitch/binning = 25  $\mu\text{m}$

Conclusion:  
 $\Delta E / E = 10^{-3}$   
clearly visible

# What about $\Delta E / E = 10^{-4}$ ?

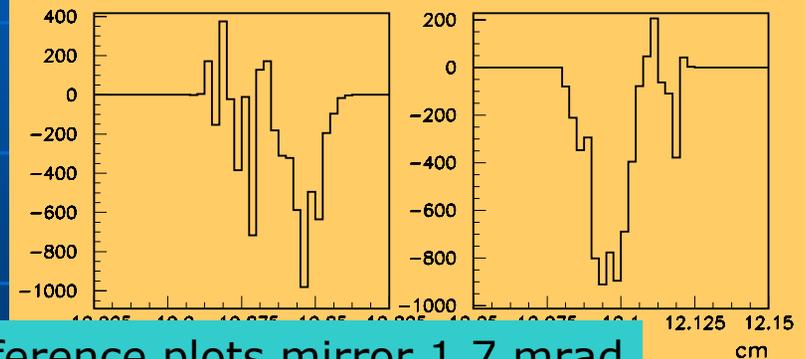
250 GeV +/- 25 MeV, Mirror 3mrad



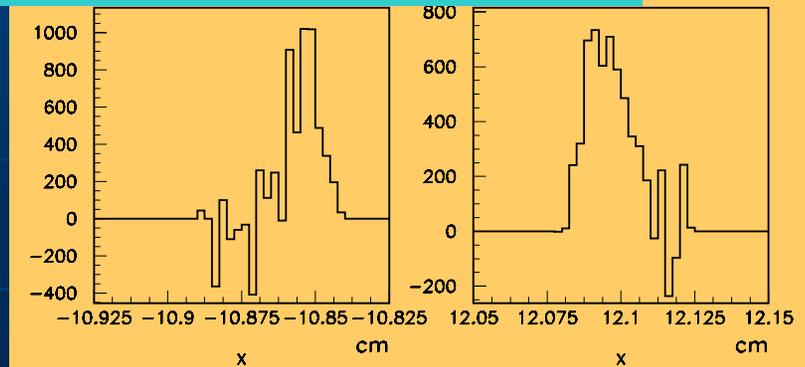
This seems to be the limit for detection by human eyes !

Since fitting is complicated  
→ check difference plots !!!!

Difference plots +/- 25 MeV (Mirror, 0.025mm)



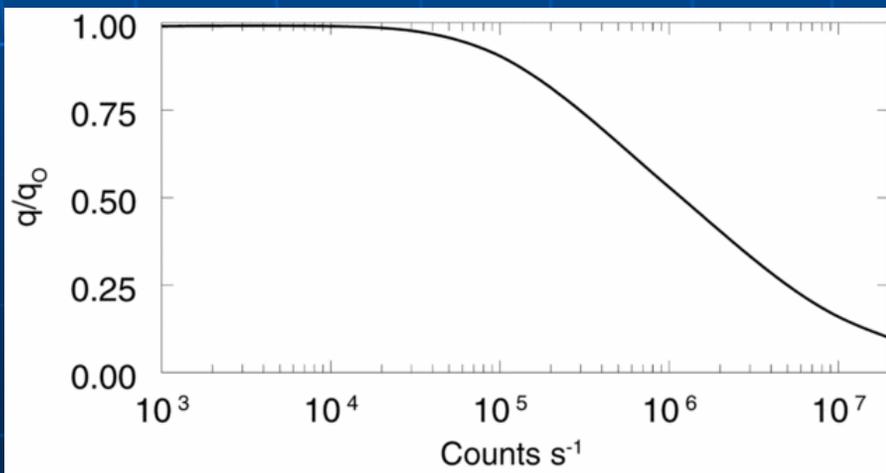
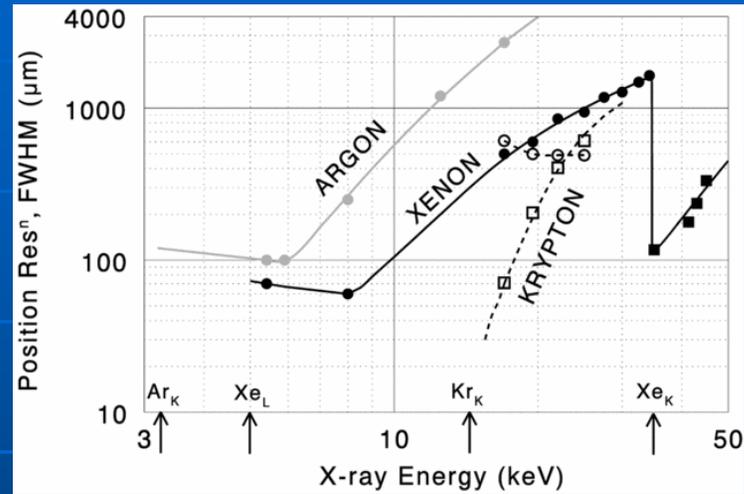
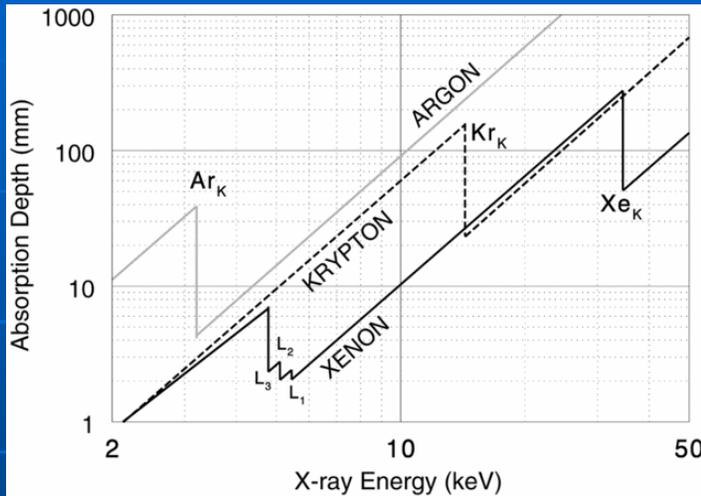
Difference plots mirror 1.7 mrad



$\Delta E / E = 10^{-4}$  clearly visible,  
may be even better values ...

# Detectors: 1) gas-based

MWPCs, image plate chambers, micro-hole structures (GEM),...



Resolution 0.1 ... 1 mm,  
count rate limitations ...  
➔ Not what we need.

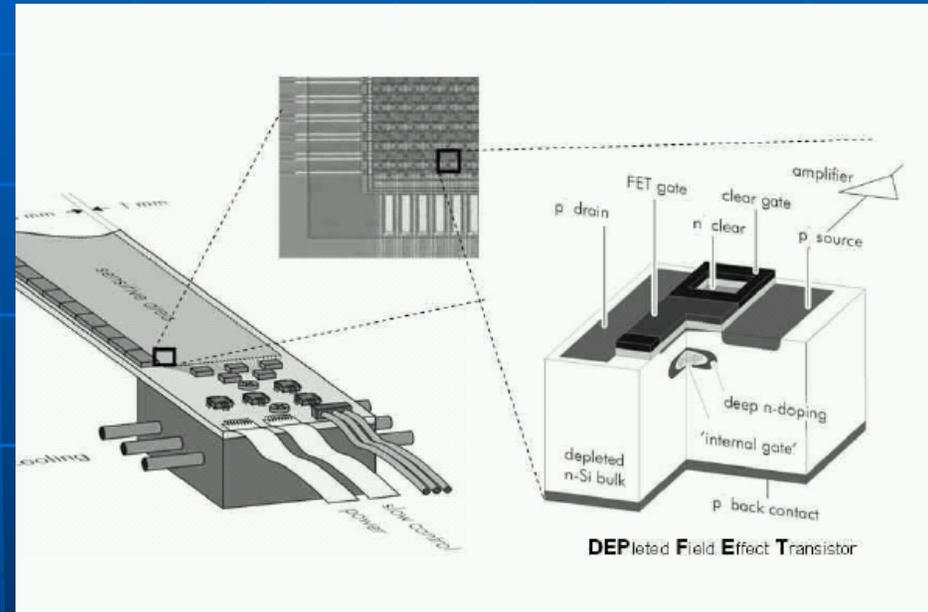
# Detectors: 2) silicon pixels

**LHC:** Hybrid pixel technology,  $50 \times 400 / 100 \times 150 \mu\text{m}^2$   
→  $20 \mu\text{m}$  resolution

**ILC :** needs  $20 \times 20 \mu\text{m}^2$ ,  $d \ll 1 \text{ X0} \sim 50 \mu\text{m}$ , high rates  
fast readout  $> 10 - 20 \text{ MHz}$

## Ongoing R & D:

- Diamond pixels
- 3D silicon sensors
- monolithic silicon detectors



At 6 GeV beam energy the spatial residuals are still multiple scattering dominated. Residuals on the order of  $10 \mu\text{m}$  are obtained, while with the large S/N value of 144 true space resolutions in the order of  $2 \mu\text{m}$  should be possible.

Fits better  
our needs.

# Silicon problem: Radiation Damage

**Literature** BELLE: 10% gain drop at 100krad  
H1: 300 krad for 5 years – to survive  
CLEO: no damage for 10 krad/year  
LHC: pixel detectors must survive 50 Mrad in 10 years

Dose estimate for 200 days ILC running ...

Dose = energy/mass

Mass = 80mm x 1mm x 0.3 mm X 2.3 g/cm<sup>3</sup>  
= 0.055g

energy: from GEANT we know:  
interaction/photon =  $8.5 \cdot 10^{-3}$   
E-loss / interaction = 70 keV

ILC bunch  $2 \cdot 10^{10}$  e,  
full train = 2820 bunches with 5 Hz  
data taking 200 days

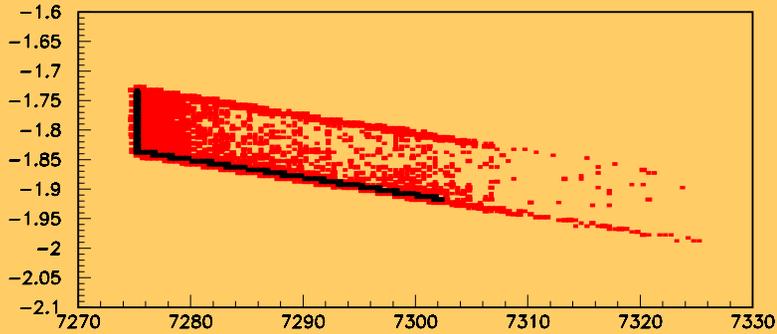
$5.2 \cdot 10^{19}$  GeV/kg

$\sim 10^6$  Mrad

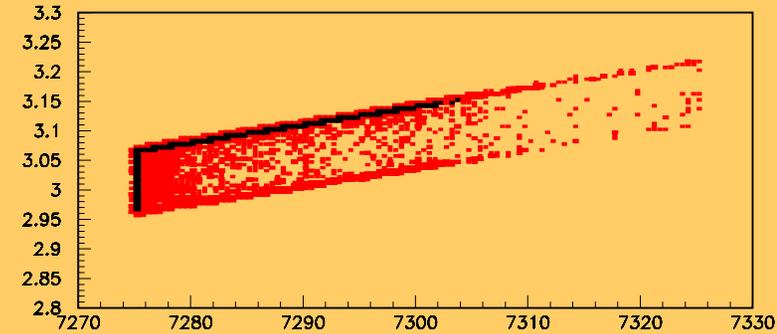
- 1) Impossible to use silicon in the direct synchrotron fan
- 2) Filter and scale by ... mirrors ?

# Mirror Heat Load

### Mirror Hit Patterns

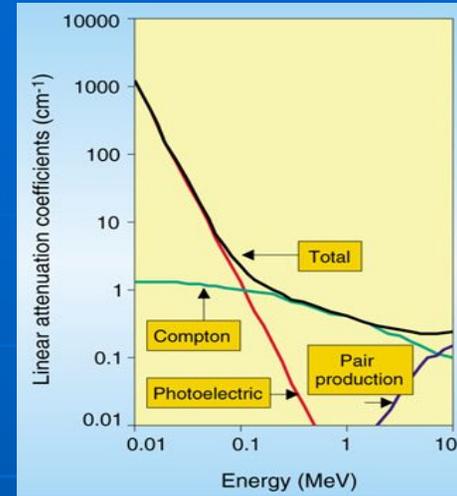


Mirror - Z vs X

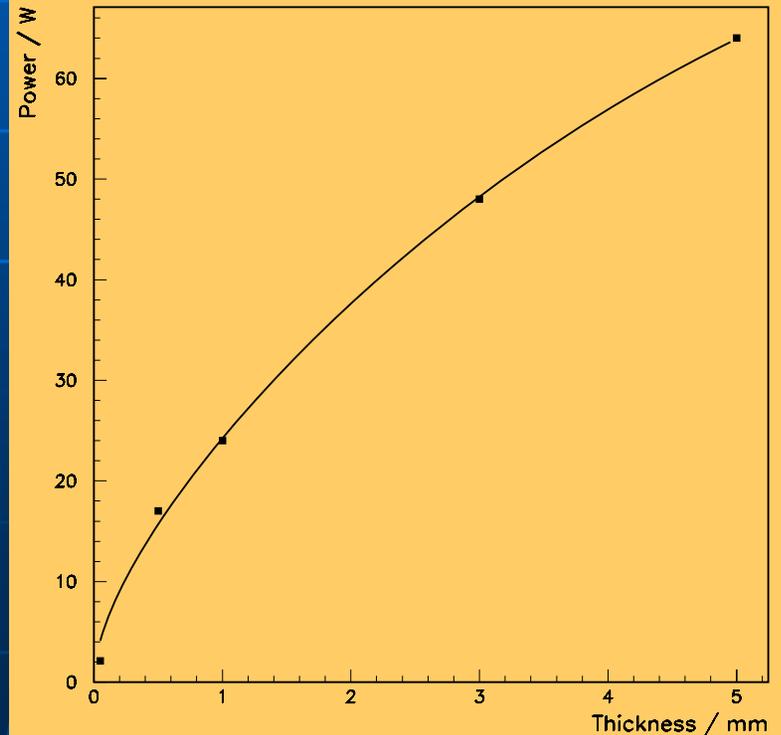


Mirror - Z vs X

E-loss of  $e^+/e^-$  heats the mirror



### Mirror Power Load by Synchrotron Radiation



Few 10 W seems manageable for mirror of few mm steel

# Summary

- 1) If dose  $< 1$  Mrad Silicon detectors can be used for  $\Delta E/E = 10^{-4}$
- 2) More radiation hard detectors can relax the situation ...  
→ special Dubna Ge/Si layer detector.
- 3) Mirrors useful to filter/reduce radiation dose for detectors.
- 4) Mirror problems: dispersion, angular precision, surface quality, stability ... → experience needed.

Launch special R&D program for synchrotron radiation detectors and mirrors used for ILC beam energy measurement

