





Compton Backscattering for Beam Energy Measurement: Introduction

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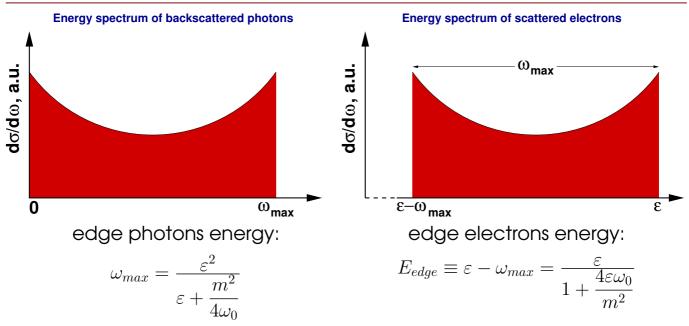
- Compton scattering & low energy experience
- ILC energy range & magnetic spectrometer basic concept
- adding laser to the setup
- Compton cross-section
- achievable statistical accuracy
- energy variation between bunches
- conclusion

Introduction

• The goal of this study was to suggest an independent complementary approach to measure the average bunch energy with accuracy better then 10^{-4} .

• The goal of this presentation is to introduce the main concepts of laser Compton backscattering application for precise ILC beam energy calibration.

Energy spectra of scattered photons/electrons

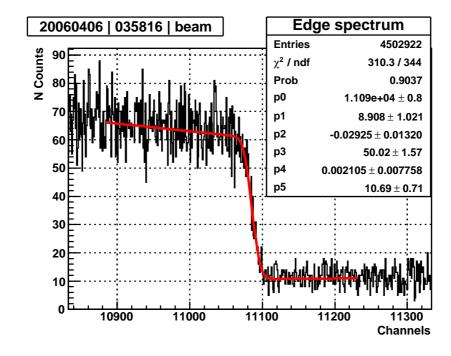


 \triangleright Both ω_{max} or E_{edge} could be used to measure the beam energy ε

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Low energy experience

- BESSY-I (1997), BESSY-II (2002), VEPP-4M (2005)
- scattered photons are mesured by HPGe detector

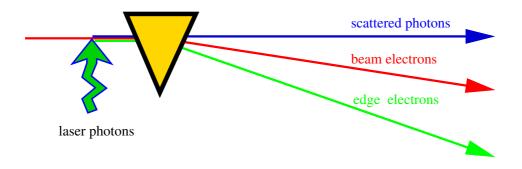


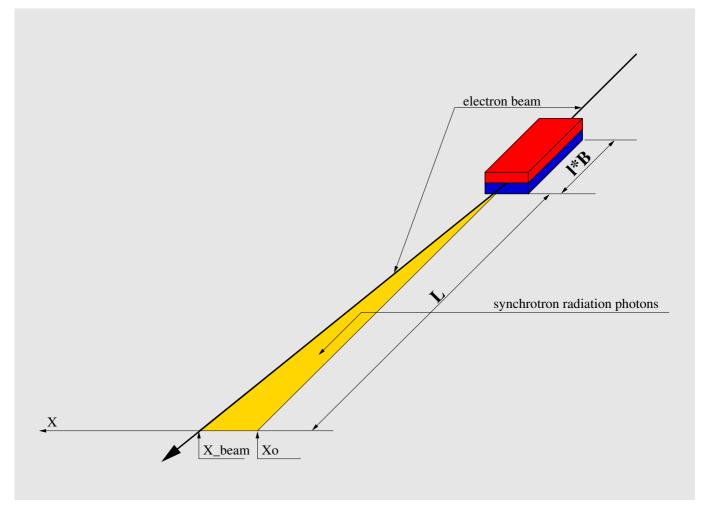
 $\varepsilon \simeq 1 \div 2 \text{ GeV}; \ \omega_0 = 0.117 \text{ eV}; \ \omega_{max} \lesssim 10 \text{ MeV}; \ \Delta \varepsilon / \varepsilon \simeq 2 \div 5 \cdot 10^{-5}$

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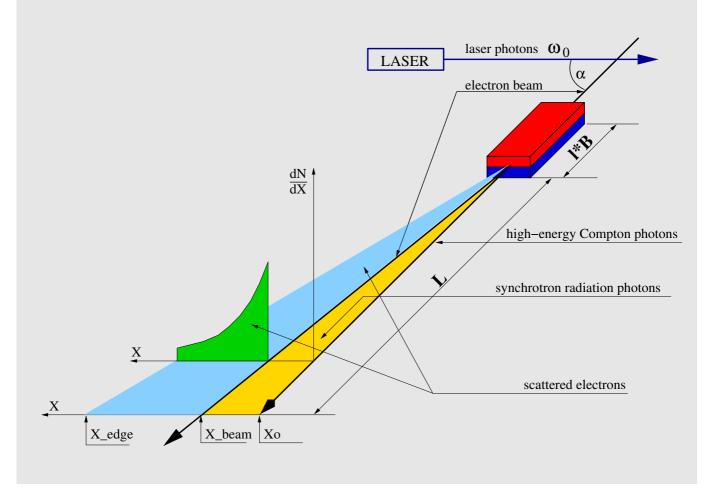
- tens-hundreds GeV scattered photons or electrons
- energy of each bunch should be measured in a non-destructive way

That's why we can't use the low energy approach at the ILC, and a new scheme should be suggested:

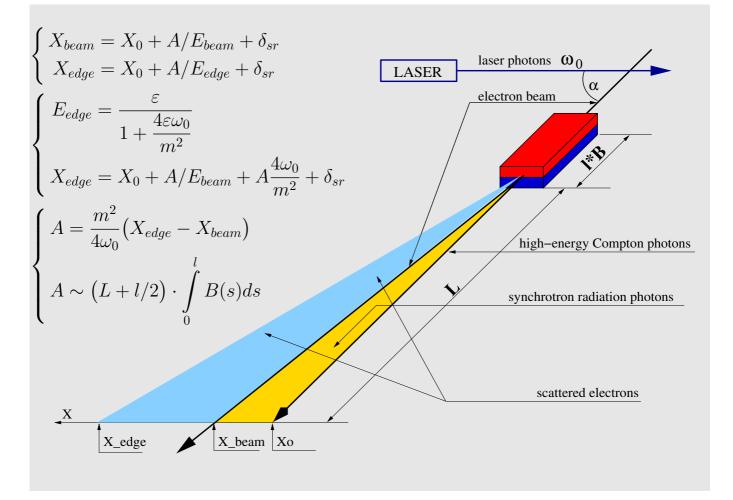




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What do we have from laser backscattering?

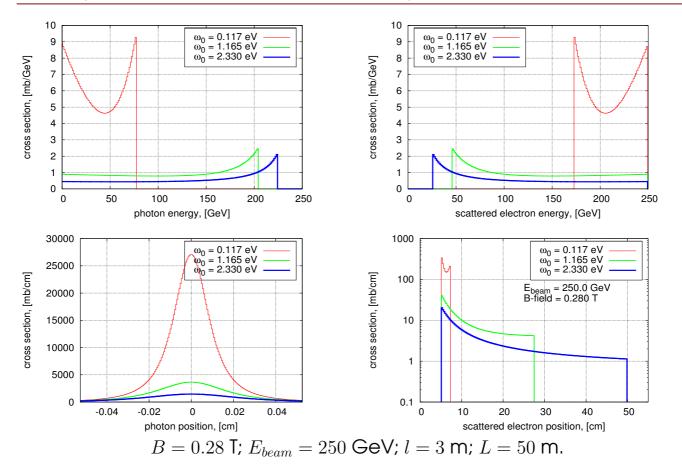
- X₀ is the center of gravity in the space distribution of backscattered high-energy photons, it potentially could be measured by dedicated detector.
- X_{beam} is the beam position in the detection plane that could be measured by precise BPM.
- X_{edge} is the Compton edge position in the scattered electrons distribution over X. Also require dedicated detector.

One can measure the beam energy using X_0 , X_{beam} and X_{edge} from three different space-sensitive detectors:

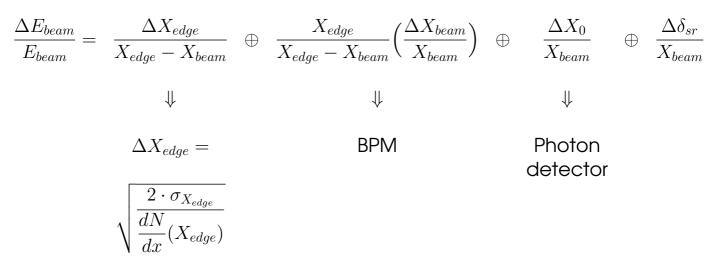
$$E_{beam} = \frac{m^2}{4\omega_0} \left(\frac{X_{edge} - X_{beam}}{X_{beam} - X_0 - \delta_{sr}} \right)$$

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Compton cross section example



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- dN/dX is defined by Compton cross section and luminosity, while $\sigma_{X_{edge}}$ is a convolution of the beam size at the detection plane with an influence from beam energy spread.
- Simple analytical predictions as well as Geant4 simulations, show that the accuracy $\Delta E/E \lesssim 10^{-4}$ is achievable with 10^6 scattered electrons.
- Systematic error source appears from B-field non-uniformity in the spectrometer magnet and L variations.

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 X_{Edge} smearing factors

reminding that $X_{edge} = X_0 + A/E + A \frac{4\omega_0}{m^2} + \delta_{sr}$ one has: $\frac{dX_{Edge}}{dE} = -\frac{A}{E^2}$

and beam energy spread influence the scattered electrons edge width:

$$\sigma_{X_{Edge}} = (X_{beam} - X_0) \frac{\sigma_E}{E} \simeq \theta \cdot L \cdot \frac{\sigma_E}{E}$$

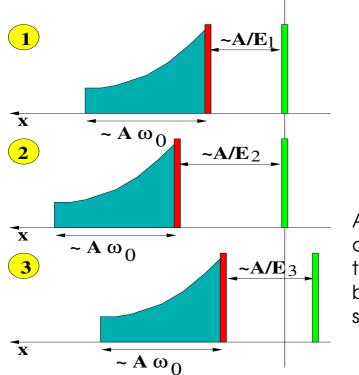
and don't forget about the beam size at the detection plane:

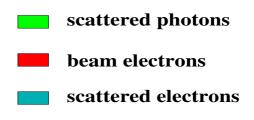
$$\sigma_{X_{Edge}} = \theta \cdot L \cdot \frac{\sigma_E}{E} \quad \oplus \quad \sigma_{X_{Beam}}(L)$$

ratio between these contributions are the subjects for optimization...

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Bunch-to-bunch energy variations





As far as A could not change as rapidly as the bunch energy, the required statistics in SE distribution could be collected from several different bunches.

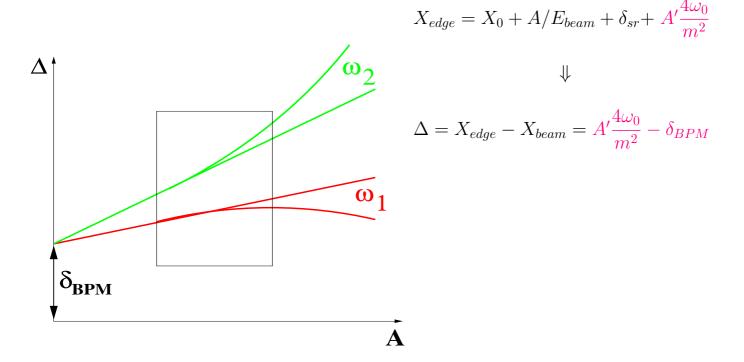
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Conclusions

- Compton backscattering in combination with magnetic spectrometer may provide a complementary approach to measure the beam energy: the absolute scale values of the spectrometer B-field and arc length do not impact on the measurement procedure.
- The statistical accuracy of the approach allows to hope that the systematic error sources will not cancel the idea
- The approach is flexible enough to work in the wide beam energy range, even at low-energy machines
- Why this setup couldn't be used for polarimetry?
- Further studies are required to explore the influence of systematic error sources

P.S. BPM "0" and B-field uniformity. Possible scenarios

$$X_{beam} = X_0 + A/E_{beam} + \delta_{sr} + \delta_{BPM}$$



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P. P. S. Ultra relativistic electron in magnetic field

$$\begin{array}{rcl} \theta(l,E) = \theta_0 & + & \displaystyle\frac{K_1}{E} \int\limits_0^l B(s) ds & + & \displaystyle K_2 \int\limits_0^l B^3(s) s ds \\ & & \downarrow \\ & & \downarrow \\ \text{Lorentz force} & & & \text{SR losses} \end{array}$$

Both K_1 and K_2 are just the combinations of fundamental constants c, m, \hbar, α .

If the B-field integral is equal for electrons with different energies:

- Lorentz force bending is inverse proportional to the electron energy
- bending due to SR losses does not depend on the electron energy

In other words:

$$\theta(E) = \theta_0 + \frac{A}{E} + \delta_{sr}$$

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